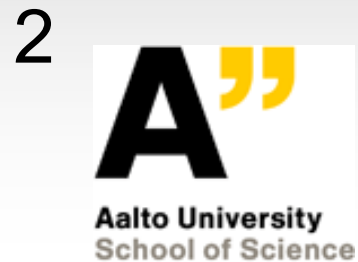


# Comparative study of multi-scale turbulence at FT-2 by Doppler backscattering and global gyrokinetic modeling

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Kiviniemi<sup>2</sup>, S. Leerink<sup>2</sup> and A.Yu. Popov<sup>1</sup>



1. Motivation of the GAM-turbulence investigation for the isotope study.
2. Successful validation of the global GK code ELMFIRE in the FT-2 tokamak discharge as a groundwork for present investigations.
3. Turbulence parameters by radial correlation Doppler reflectometer.
4. Rotation shearing by GAMs and modulation of the turbulence and diffusivities by GAMs.
5. Experimental investigations of GAM-turbulence interaction in D- and H-discharges.
6. Results of the GK modeling in D- and H-discharges.
7. Conclusions.

The **isotope effect in tokamak anomalous transport** is a longstanding puzzle for physicists. It was first reported almost thirty years ago [J.Hugill & J.Sheffield 1978 *Nucl. Fusion* **18** 15] and since that time observed in many machines.

The typical **orbit's widths** and typical width of the drift-wave turbulent eddy in tokamak are **larger for heavy isotopes**. Based on these arguments **one could expect growing transport with increasing isotope mass**, nevertheless, in numerous experiments an **opposite direction of effect** was observed [F.Wagner and U.Stroth 1993 *PPCF* **35** 1321; U. Stroth 1998 *PPCF* **40** 9].

The dependence of turbulence **long-range correlations**, determined, in particular, by **the GAM excitation level**, on the isotope mass could be responsible [Y.Xu et al. 2013 *PRL* **110** 265005] for **the isotope effect in tokamak anomalous transport**.

GAMs, which are, according to the present day understanding, excited in plasma due to nonlinear interaction of drift waves, in their turn can influence the turbulent fluctuations and anomalous transport. The **mechanism GAMs control the turbulence** discussed in theory [P.H. Diamond et al. 2005 *PPCF* **47** R35] could be associated **with large inhomogeneity of poloidal rotation accompanying GAMs** possessing small radial wavelength and huge radial electric field.

This work is devoted to investigation of **these** effects in the **FT-2 tokamak** ( $R = 55$  cm,  $a = 7.9$  cm) using a set of highly localized **microwave backscattering diagnostics** and the **global gyro-kinetic (GK) modeling** by **ELMFIRE code**.

# Multi-scale benchmarking of experimental FT-2 data and GK simulations

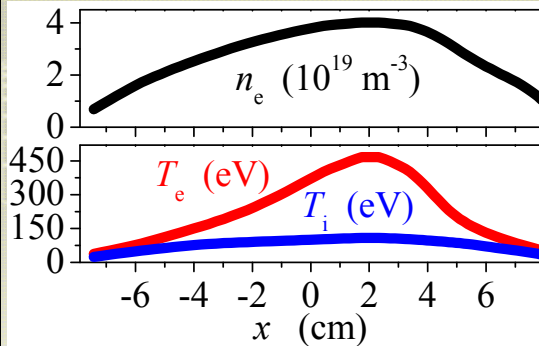
## 19 kA H-discharge parameters

$$B \approx 2.1 \text{ T}; Z_{\text{eff}} \approx 3.5$$

$$n_e(0) \approx 4 \times 10^{13} \text{ cm}^{-3}$$

$$T_e(0) \approx 470 \text{ eV}$$

$$T_i(0) \approx 110 \text{ eV}$$



S. Leerink et al. 2012  
*PRL* **109** 165001

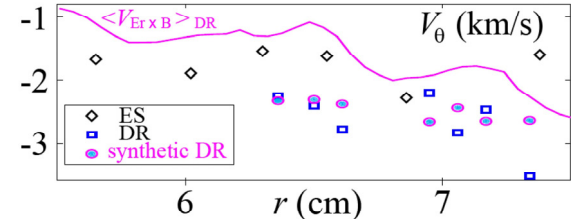
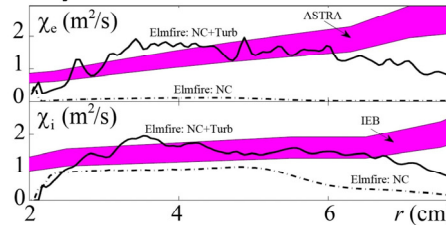
E.Z. Gusakov et al. 2013  
*PPCF* **55** 124034

## E. Gusakov et al. 24 IAEA FEC 2012 CN-197 TH/6-3

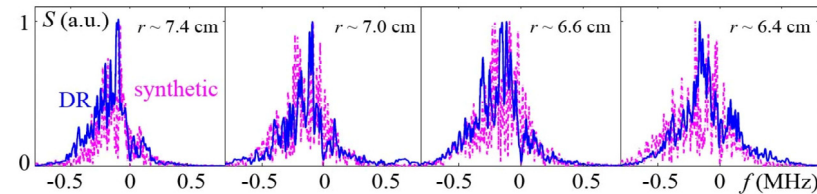
### **A?** Validation of the multi-scale Drift Turbulence Dynamics modeled by full-f Gyrokinetic ELMFIRE-code against measurements in the FT-2 tokamak Ohmic Discharge



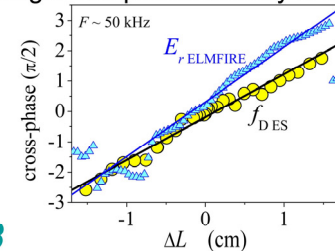
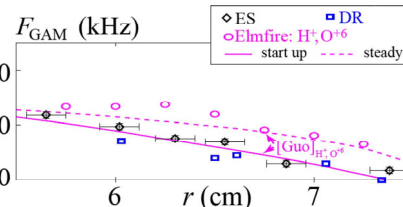
•At the macro-scale electron and ion thermal diffusivities and poloidal rotation profiles are reproduced by the code



•At the micro-scale the similarity of the Doppler reflectometry spectra provided by the FT-2 experiment and by the ELMfire synthetic diagnostics is demonstrated



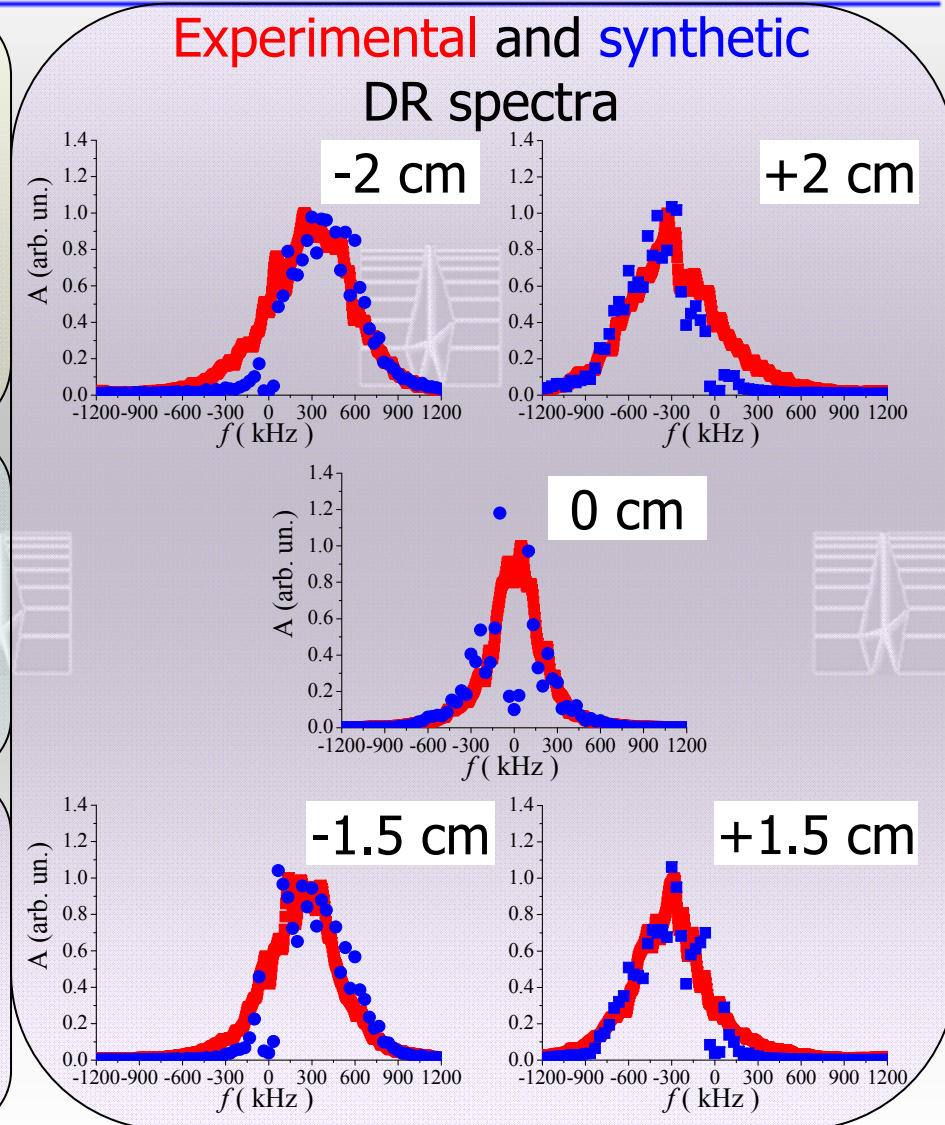
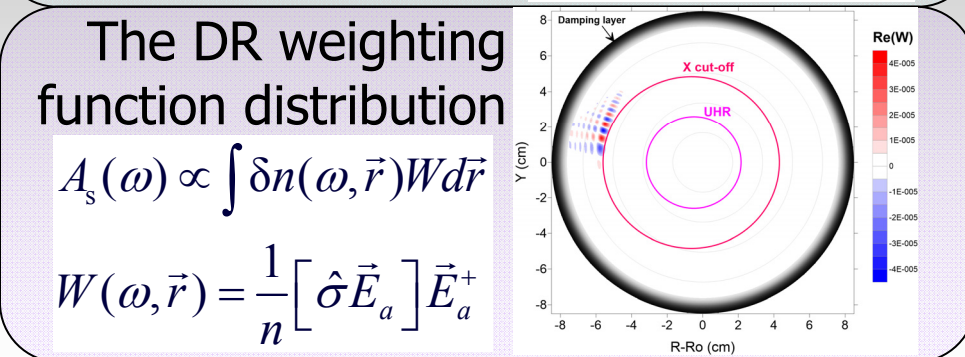
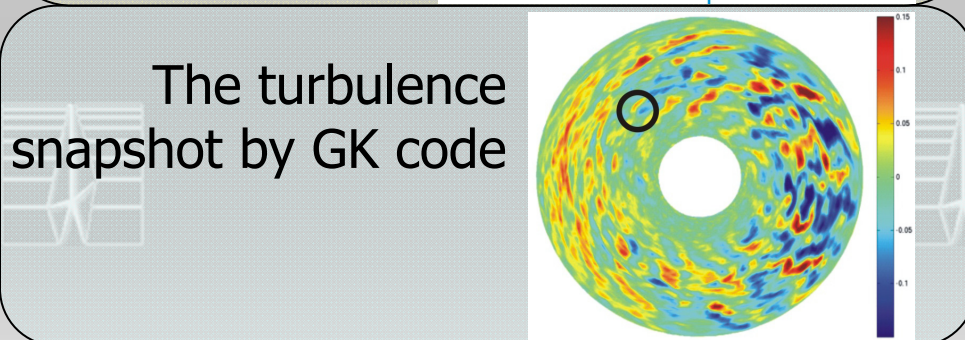
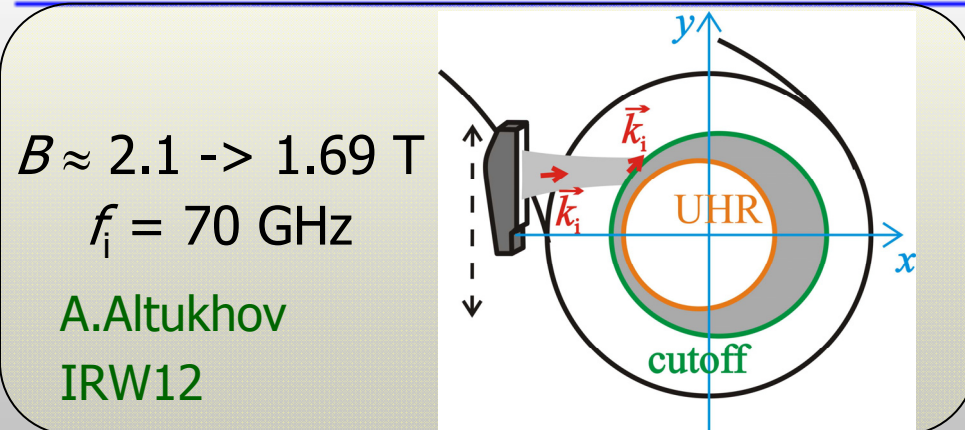
•At the meso-scale the GAM frequency distribution as well as its wavelength and phase velocity are reproduced by the code



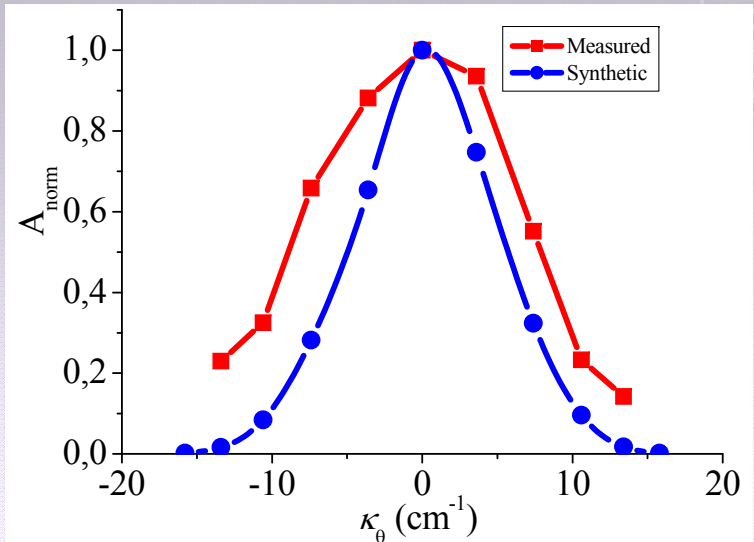
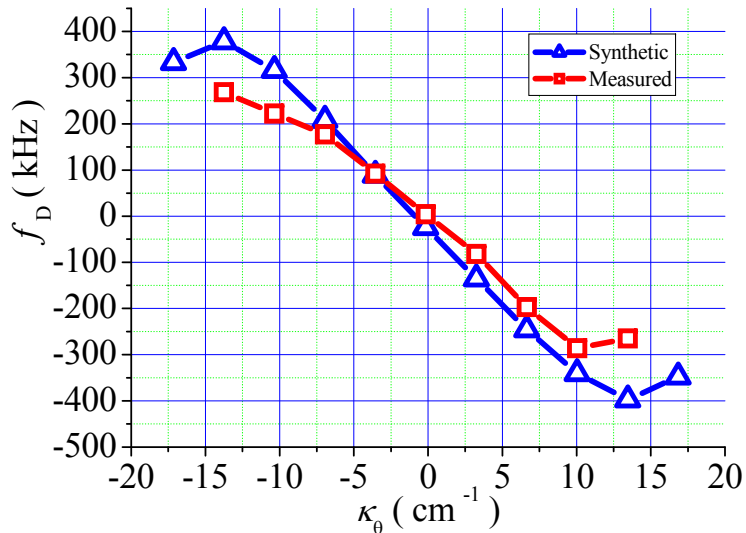
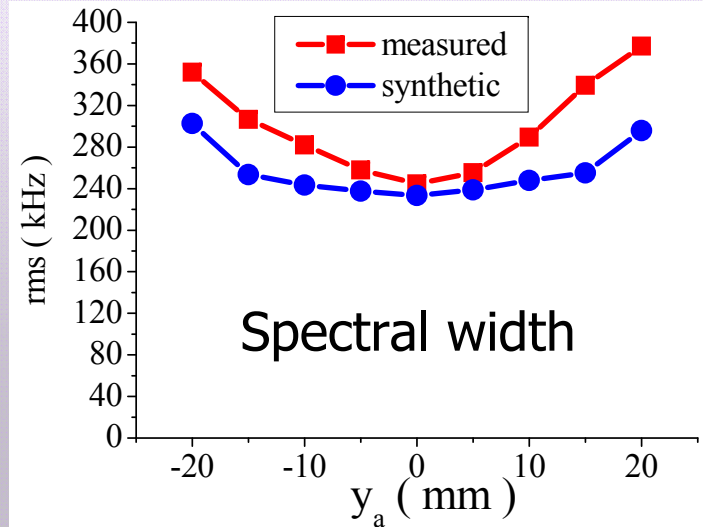
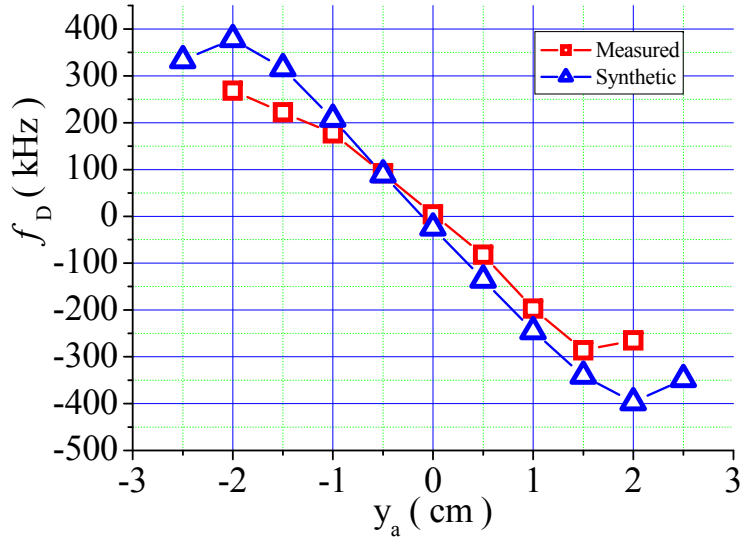
Gusakov et al. TH/6-3



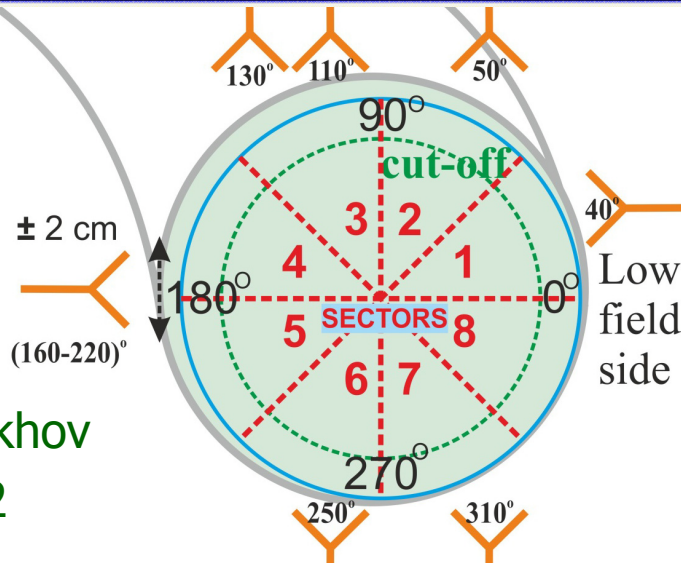
# X-mode RCDR at HFS. Direct measurements and synthetic approach



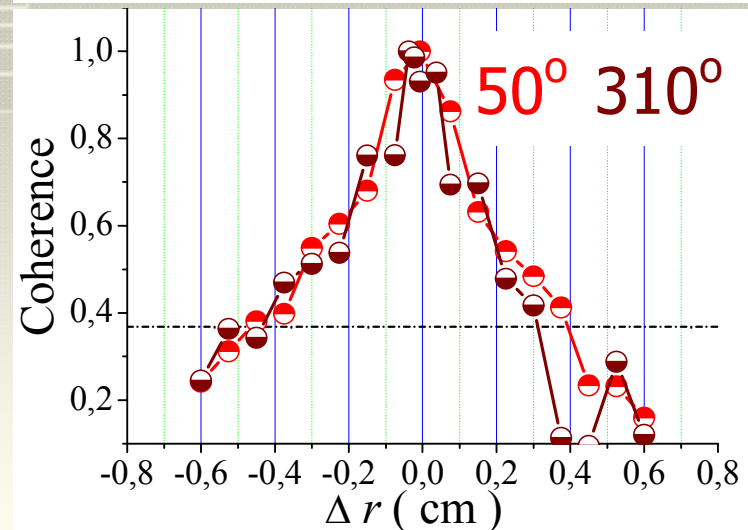
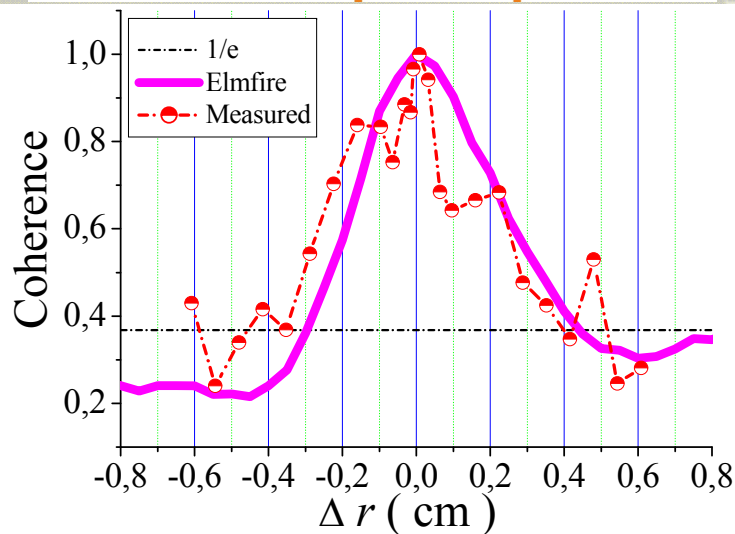
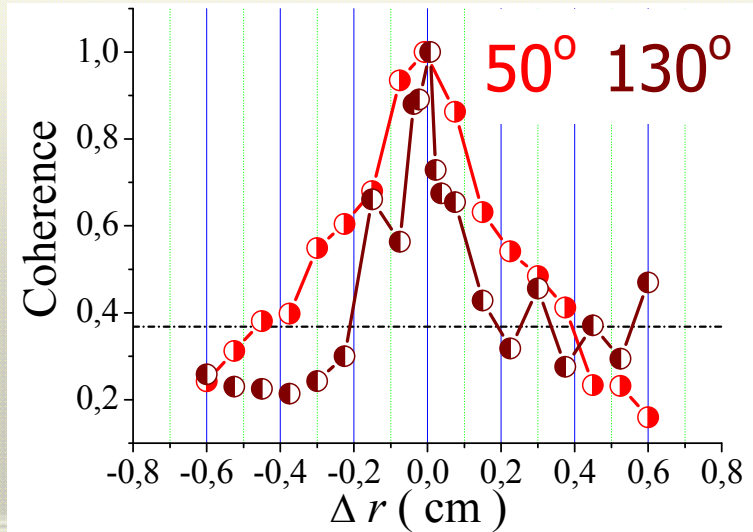
# Comparison of experimental and synthetic DR spectra parameters



# Experiments with O-mode probing to avoid the nonlinear regime



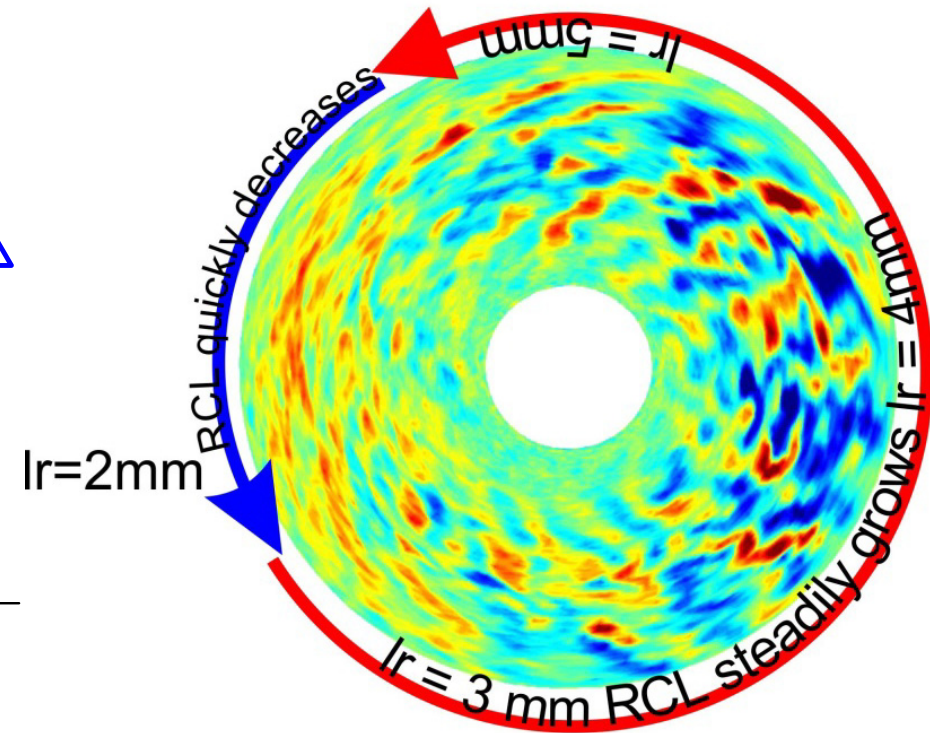
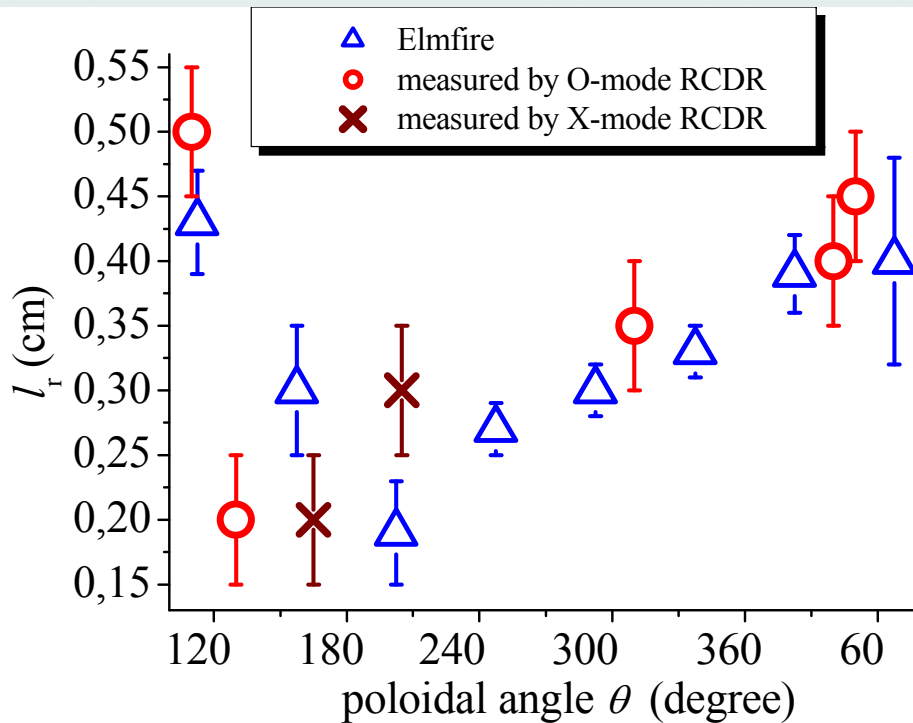
A. Altukhov  
IRW12





# Turbulence radial correlation length poloidal dependence

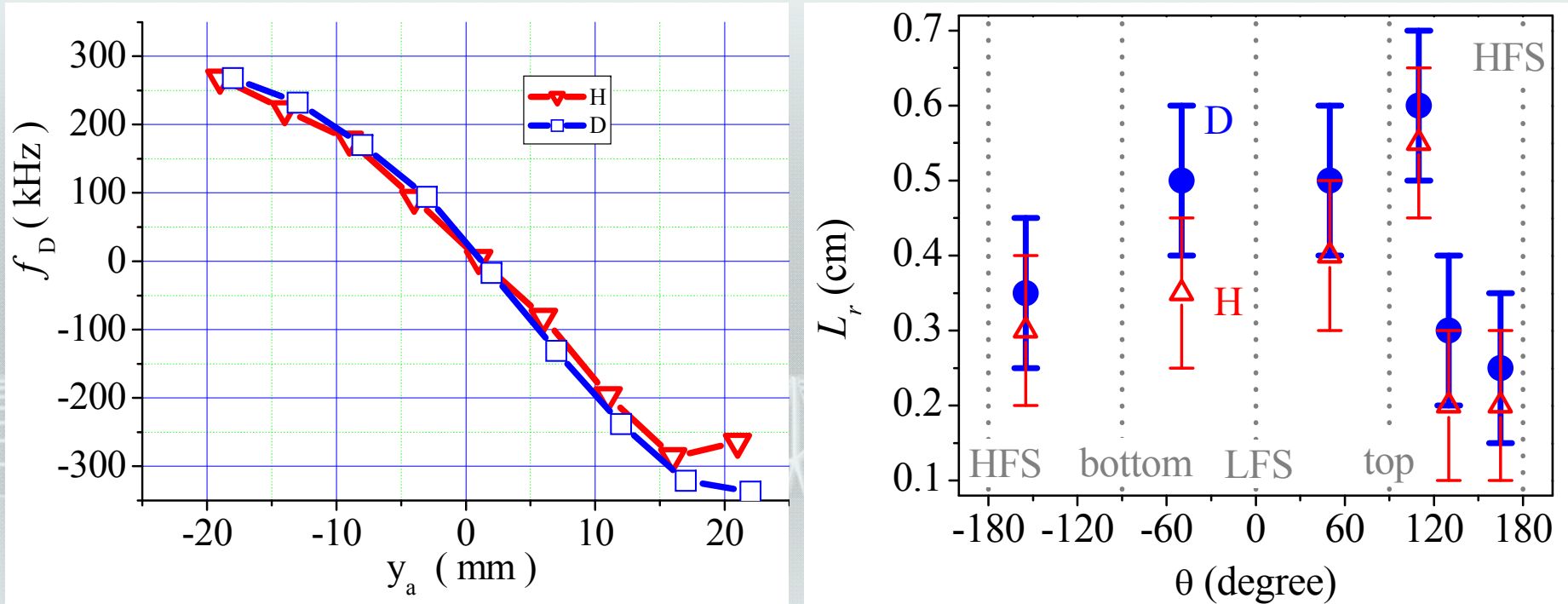
A. Altukhov IRW12



The turbulence radial correlation length both **measured by Radial Correlation Doppler Reflectometry** and **simulated by GK modeling** quickly decreases at high field side  $120^\circ < \theta < 210^\circ$  and then steadily grows in direction of plasma rotation.

# Doppler frequency shift and correlation length in H- and D-discharges

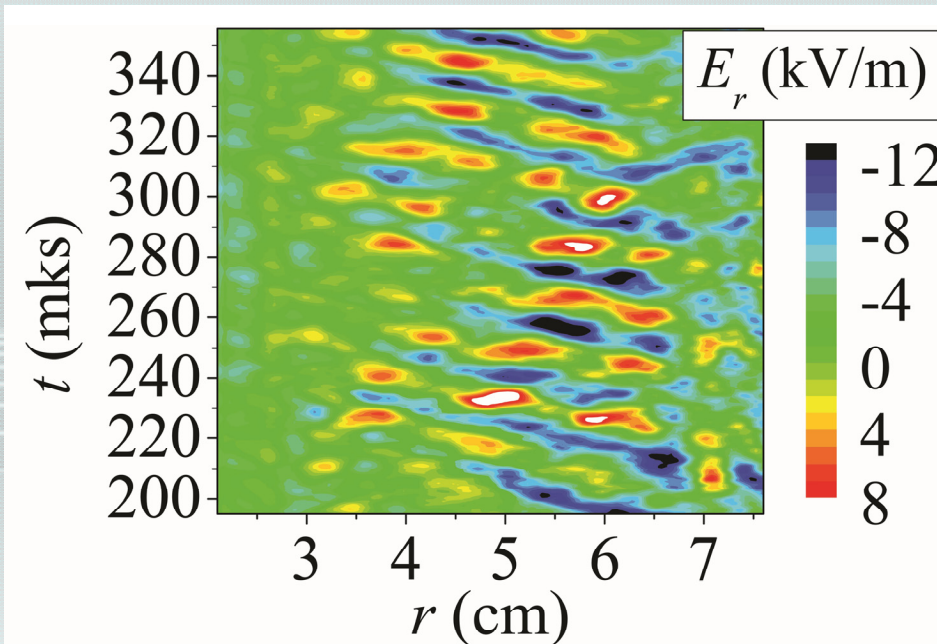
A.Altukhov IRW12



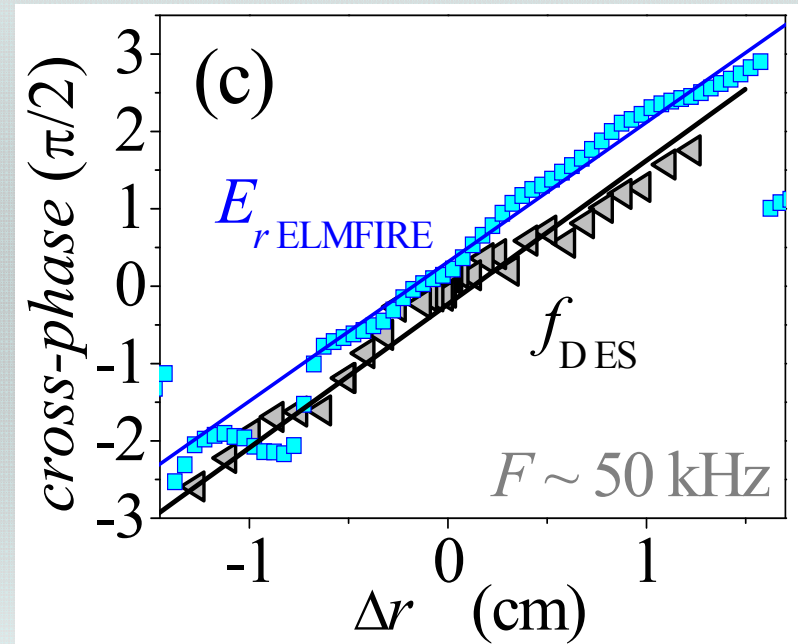
The Doppler frequency shift dependence on vertical antenna position in H & D is similar, however the correlation length in D discharge is usually higher than in the H one.

# The electric field variation as provided by Elmfire in agreement with experiment

## The intensive electric field GAM-wave



## Comparison of cross-phases (Elmfire and experiment)



$$k_{Gr} \approx 2.6 \text{ cm}^{-1}$$

E.Gusakov et al. 2013 *PPCF* **55** 124034

# Drift-wave turbulence stabilization condition for GAM rotation shearing

The effective poloidal rotation shearing rate

$$\omega_{\text{eff}} = \left| \tilde{\omega}_{E \times B} H + \bar{\omega}_{E \times B} \right| > \gamma$$

GAM                      Mean flow

The instability growth rate, or the turbulence inverse correlation time

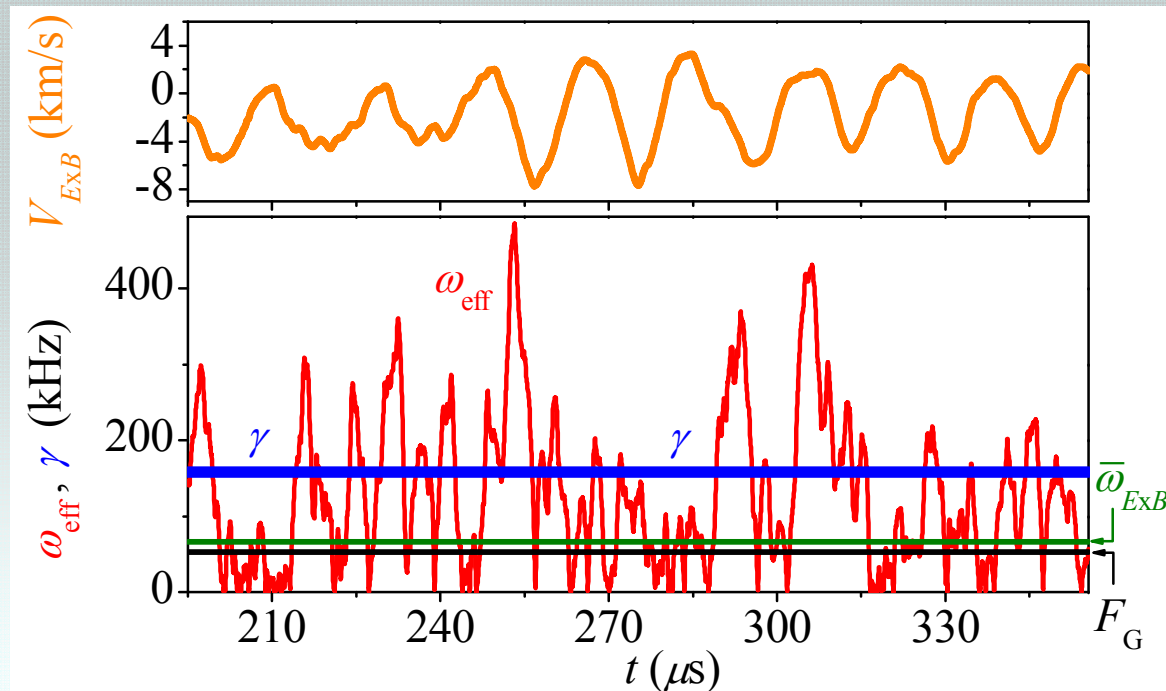
$$H \equiv \left[ (1 + 3F)^2 + 4F^3 \right]^{1/4} \left[ (1 + F) \sqrt{1 + 4F} \right]^{-1}$$

$$F \equiv (2\pi F_G)^2 \gamma^{-2}$$

T.S. Hahm et al.  
1999 *PoP* **6** 922

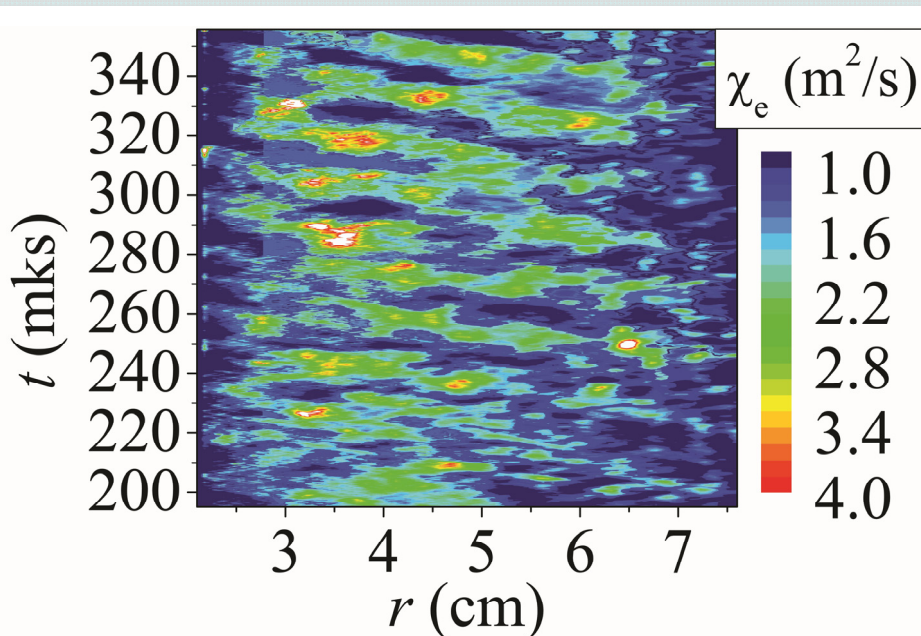
$$H(F_G, \gamma) \approx 0.2$$

A.D. Gurchenko  
et al. 2015 *EPL*  
**110** 55001

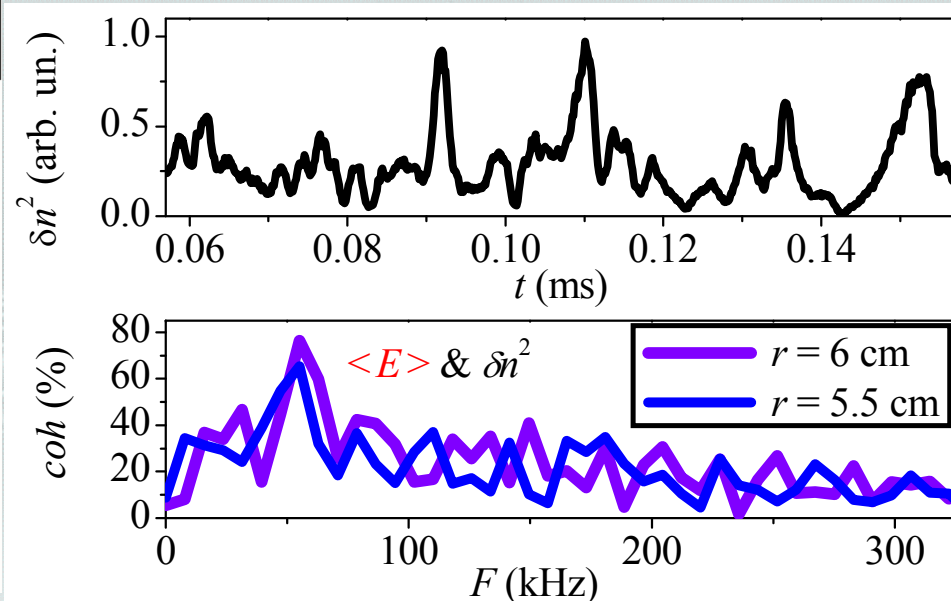


# Effect of strong diffusivity modulation by GAMs in GK simulations

GAM-wave in the thermal diffusivity



The influence of intensive GAMs manifests itself initially in the turbulence level  $\delta n^2$  modulation

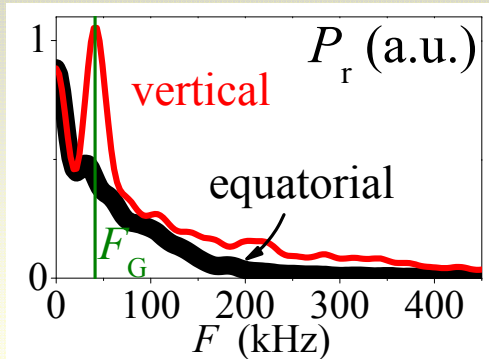
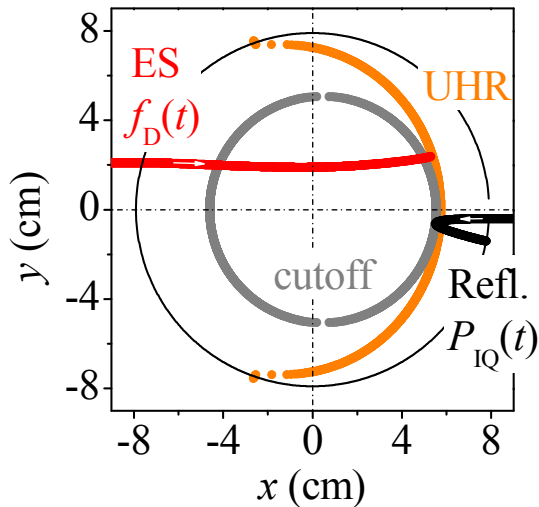


A.D.Gurchenko et al.  
2015 *EPL* **110** 55001

High coherence between  $\langle E_r \rangle$  and  $\delta n^2$  proves the turbulence level modulation by GAMs.

# Observations of turbulence level modulation at GAM frequency

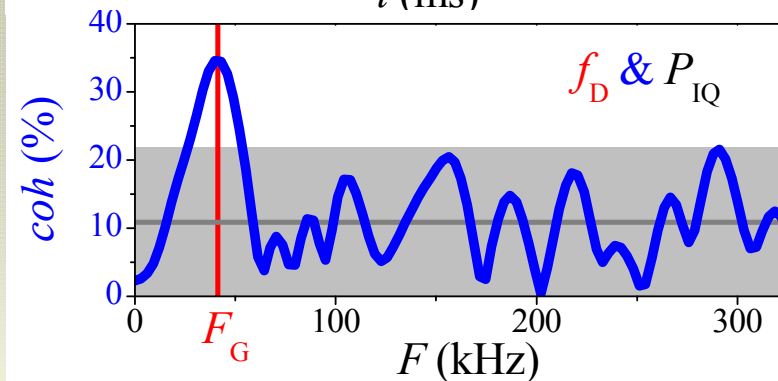
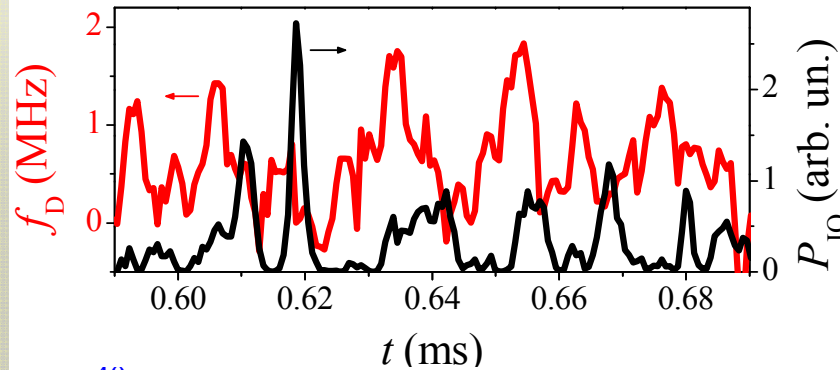
## Combined microwave BS diagnostic



## Time traces of $f_D$ - and $P_{IQ}$ -signals:

$$f_D(t) = \kappa_\theta V_\theta(t) / 2\pi \sim E_{r\text{GAM}}$$

$$P_{IQ}(t) = C^2(t) + S^2(t) \sim \delta n^2$$

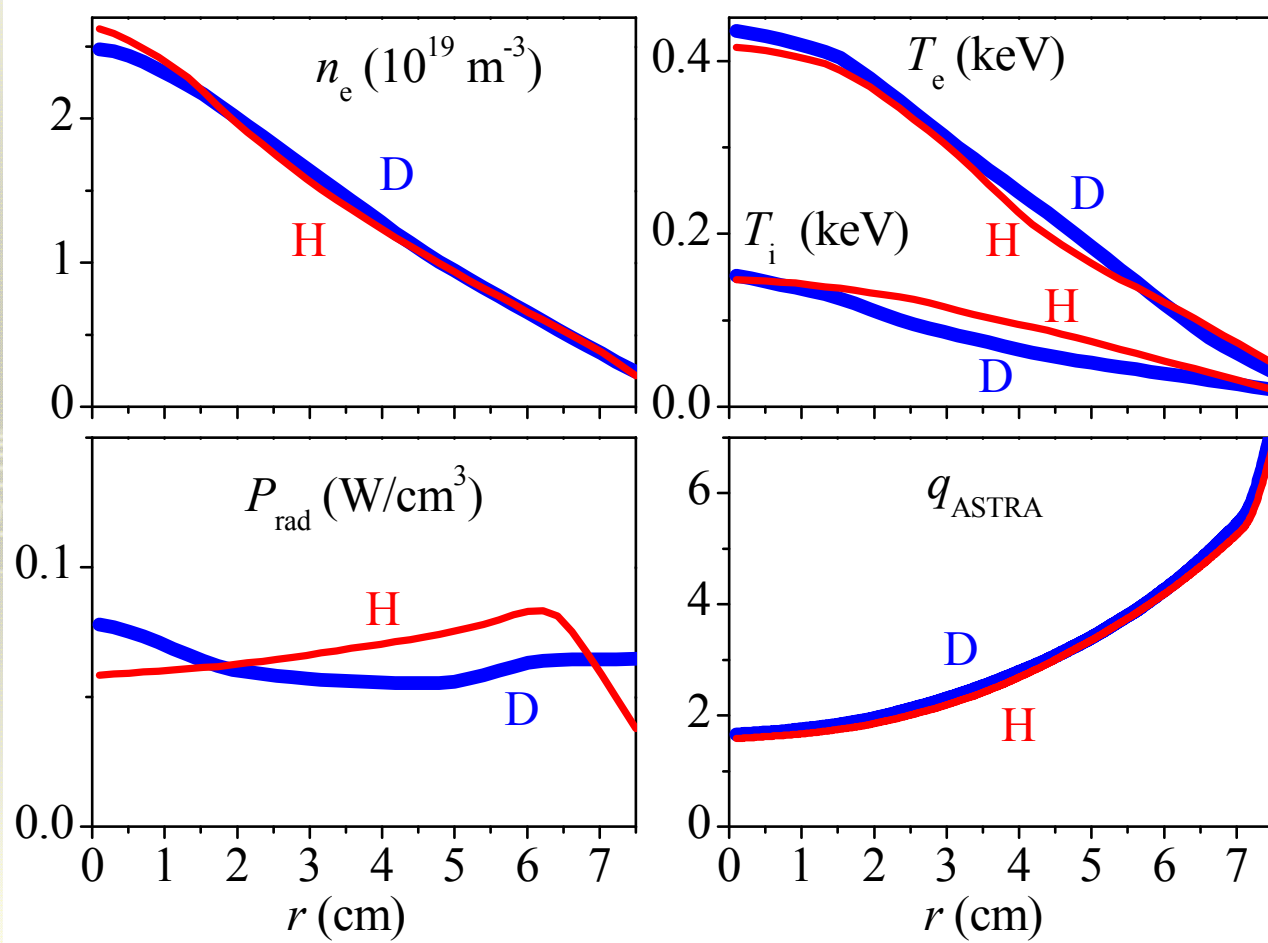


High coherence between  $f_D$ -signal and the total reflectometry power  $P_{IQ}$  at GAM frequency proves the turbulence level modulation by GAMs.

Gurchenko  
et al. 2015  
*EPL* **110**  
55001

# Experimental H- and D- regimes for isotope study

A.Gurchenko 42EPS 15.J203

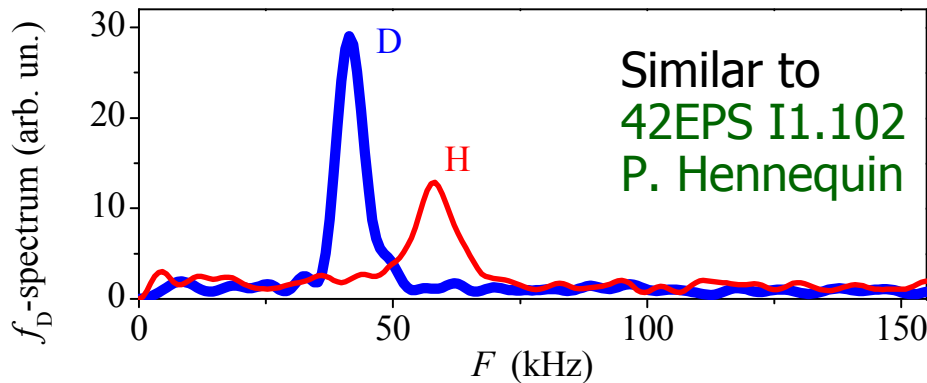


FT-2  
 $R = 55 \text{ cm}$   
 $a = 7.9 \text{ cm}$

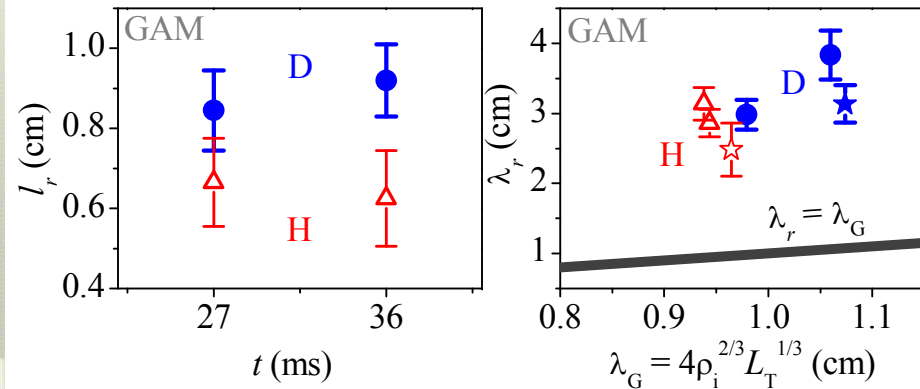
27 ms:  
19.5 kA  
2.25 T  
 $Z_{\text{eff H}} = 2.8$   
 $Z_{\text{eff D}} = 2.3$

# GAMs parameters measured in D- and H-discharges

## Power spectra of the Doppler ES $f_D$ -signals

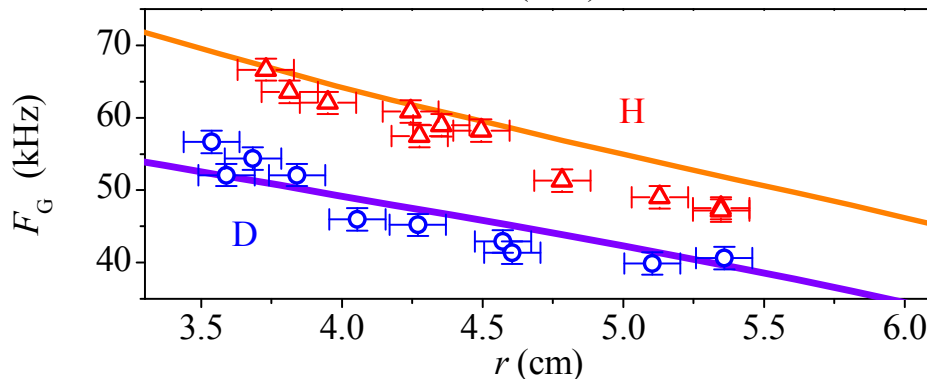


## GAMs radial correlation length and wavelength



GAMs here rather correspond to the **MHD GAM resonance** non-linearly induced by LF beats of the drift-wave turb. **The GAM amplitude** in this regime is determined not only by the non-linear drive provided by drift-wave turb., but also inverse proportional to **the GAM damping rate** determined in the edge FT-2 plasma by **ion-ion collision frequency**.

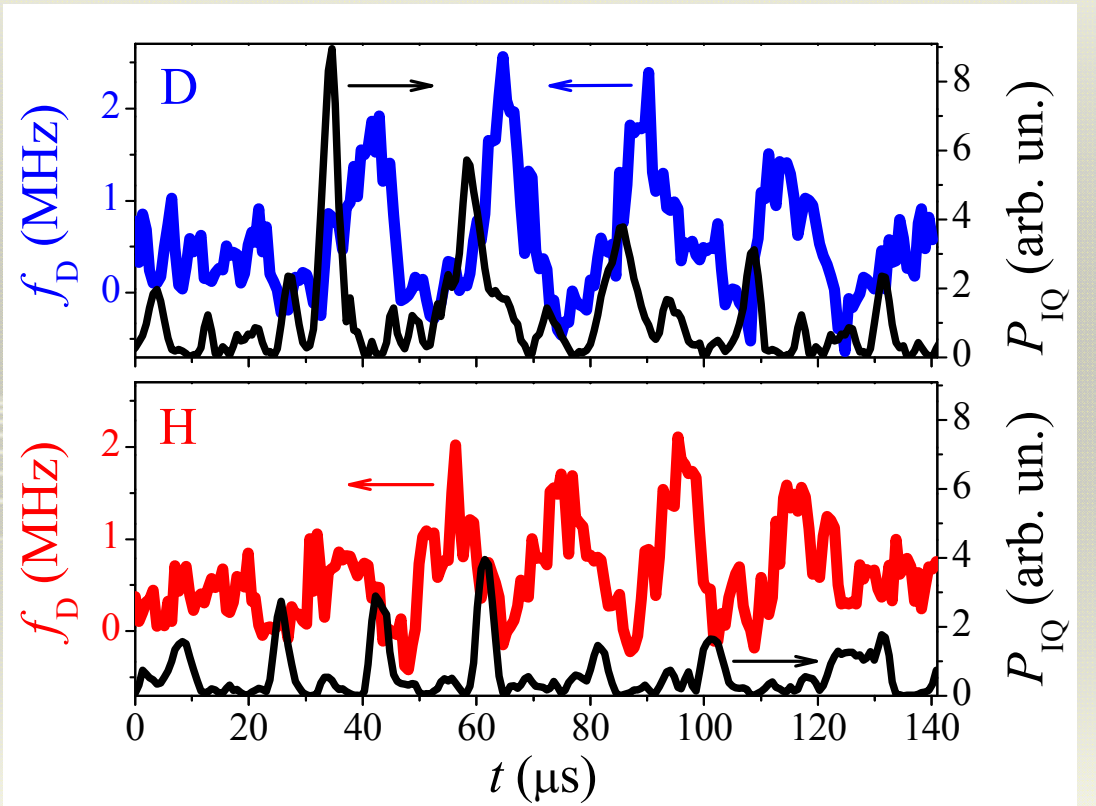
## Radial profiles of the GAM frequency



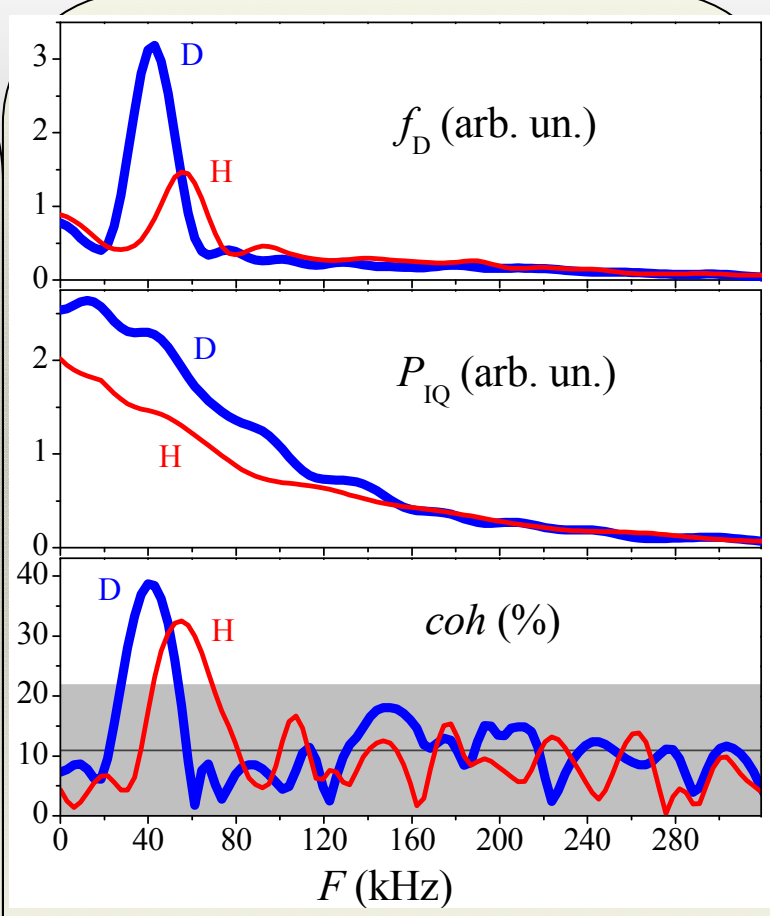


# Turbulence level modulation at the GAM frequency in the experiment

Time traces of  $f_D$ - and  $P_{IQ}$ -signals at  $r \approx 4.5$  cm

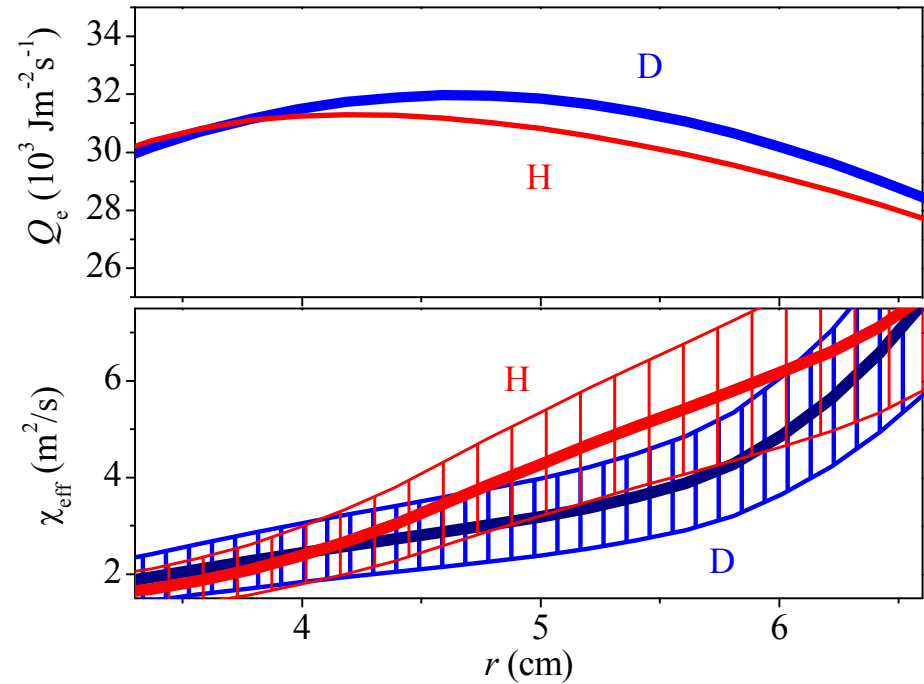
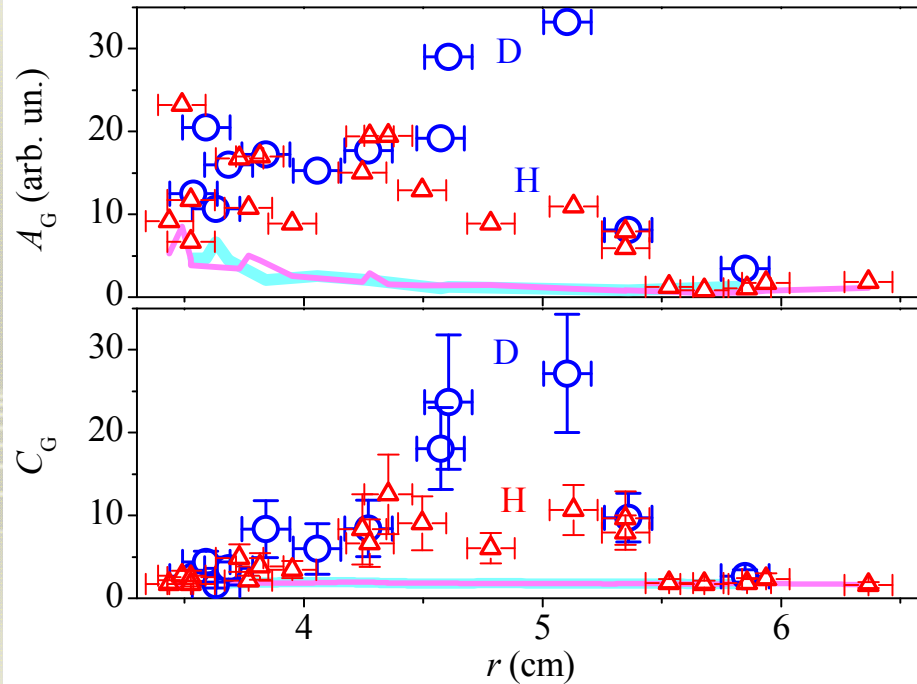


To make a more reliable conclusion on the GAM-turbulence interplay a statistical analysis was done



The turbulence level modulation at the GAM freq. is better correlated to the GAMs in **D**

# Weak local anti-correlation of GAM amplitude and electron thermal diffusivity

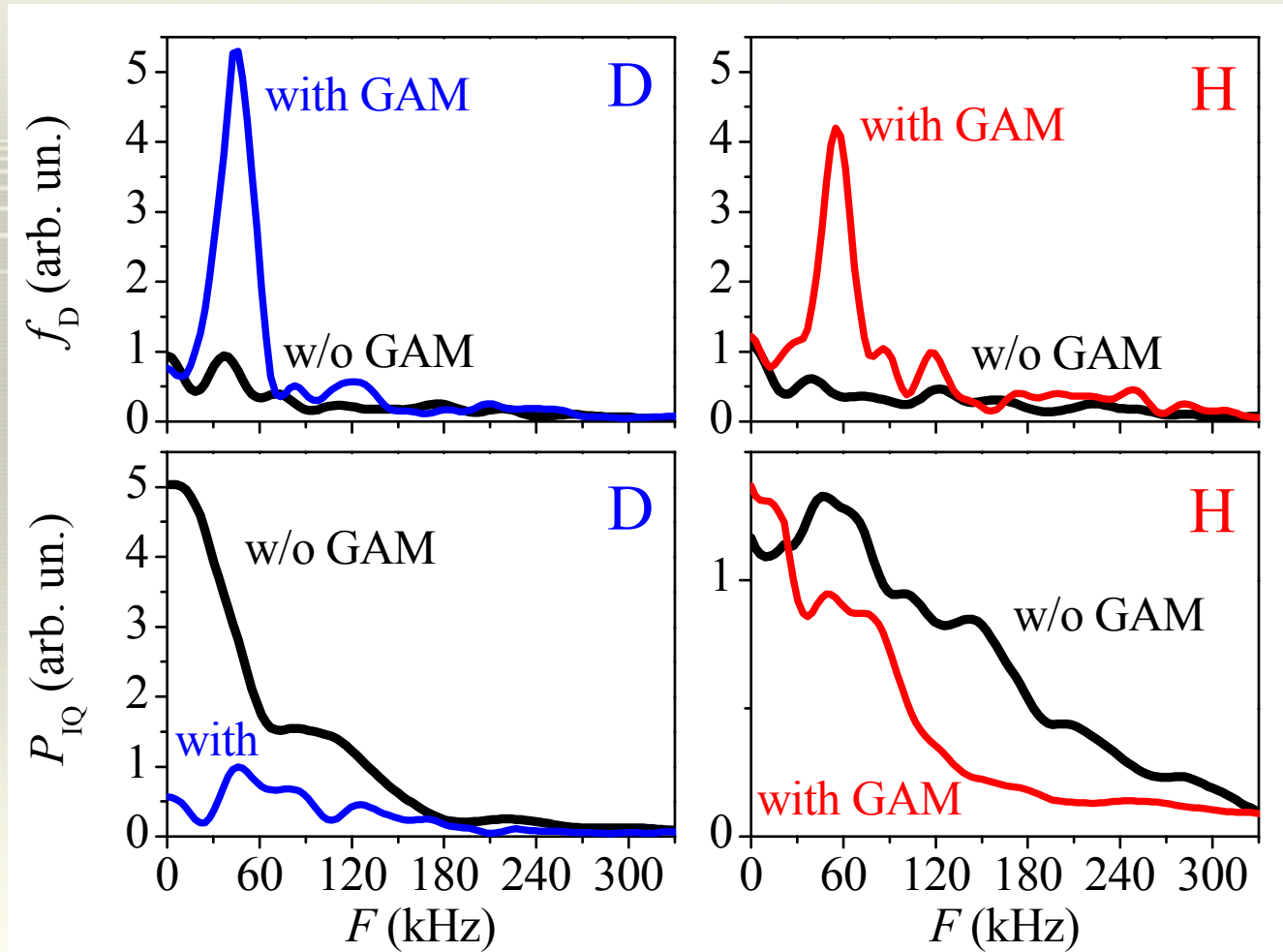


A possible explanation for the higher GAM amplitude in D can be related to its smaller damping due to i-i collisions.

# The local anti-correlation effect in GAMs-turbulence interaction

Turbulence in GAM-active and GAM-free periods at  $r \approx 4.5$  cm

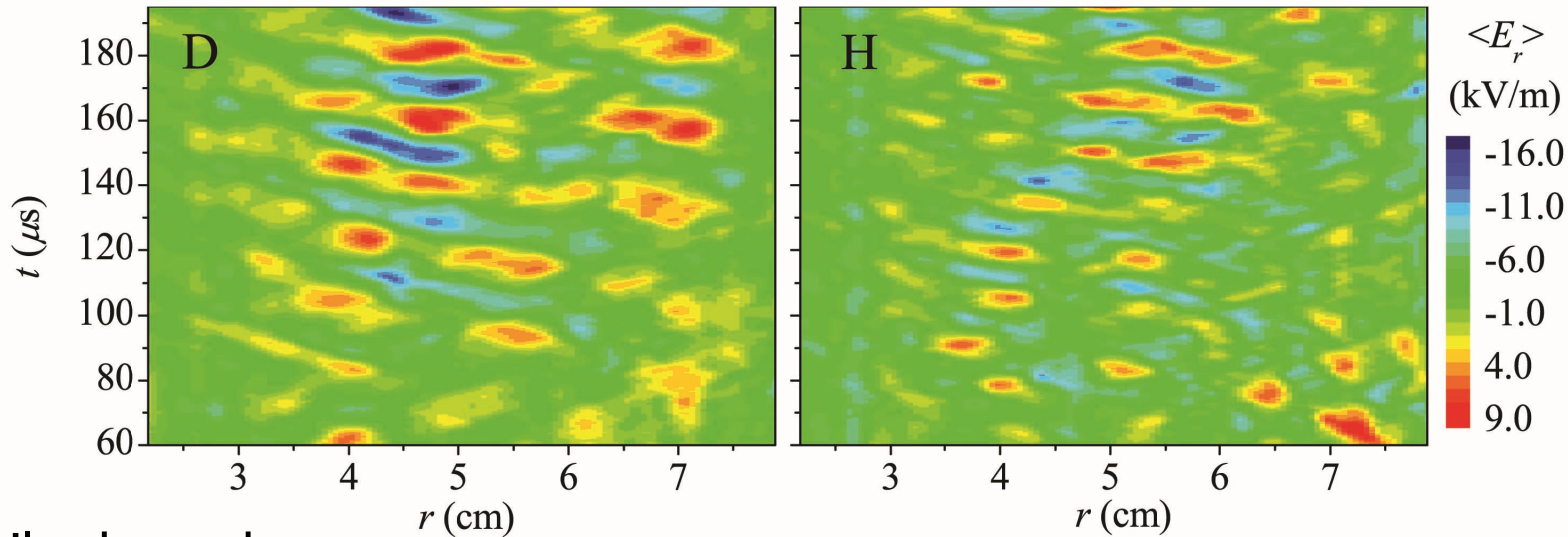
New  $f_D$ - and  $P_{IQ}$ -signals were recombined using signals measured in intervals with and w/o GAMs



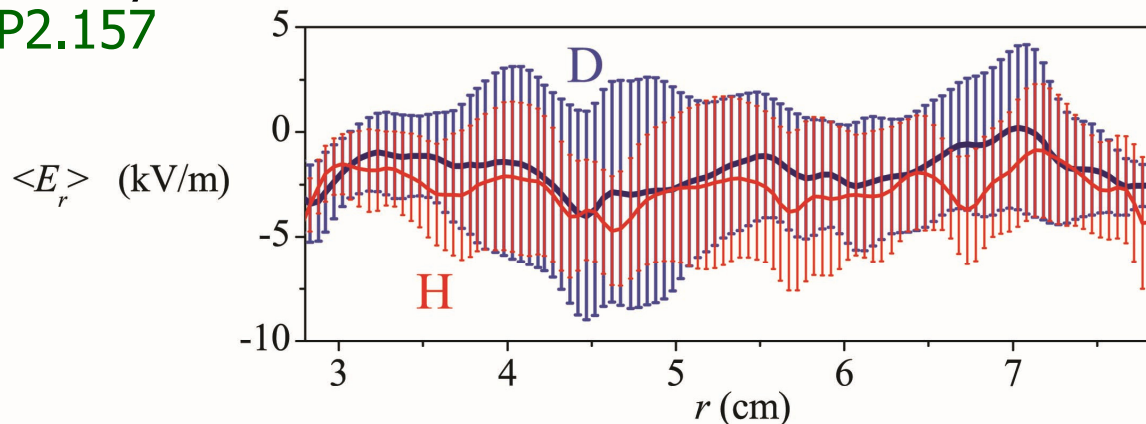
# The electric field GAM-waves in D- and H-discharges in ELMFIRE simulations

D-discharge

H-discharge



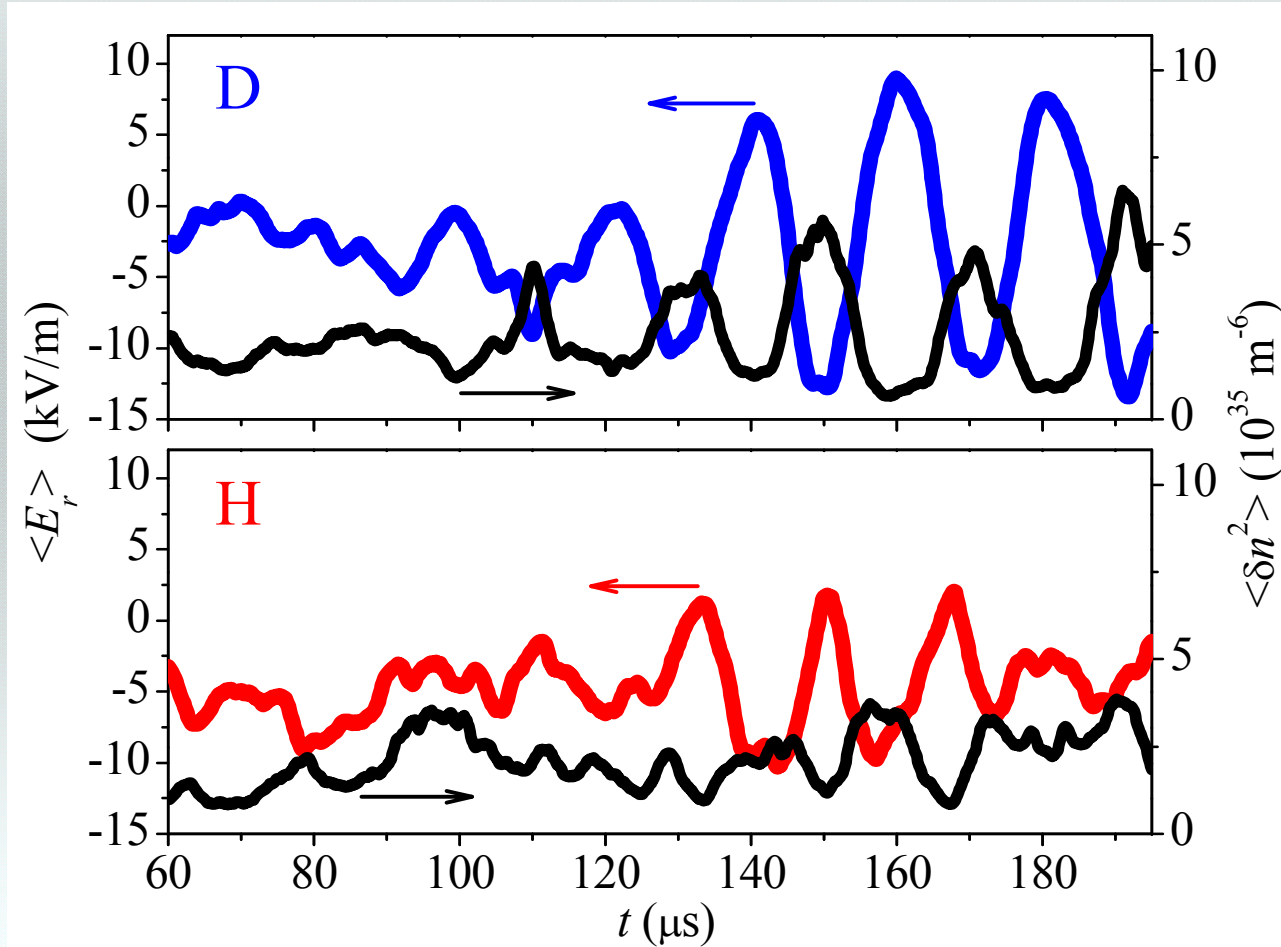
Details shown by  
P. Niskala P2.157



Vertical bars indicate  
the amplitude of  
 $\langle E_r \rangle$ -oscillations  
averaged over the  
time.

# Time traces of the radial electric field and $\delta n^2$ in ELMFIRE simulations

$\delta n^2$  calculated after filtering of GAM-oscillations out of  $\delta n(t)$  – corresponds not to original GAM, but to the turbulence modulation by it.

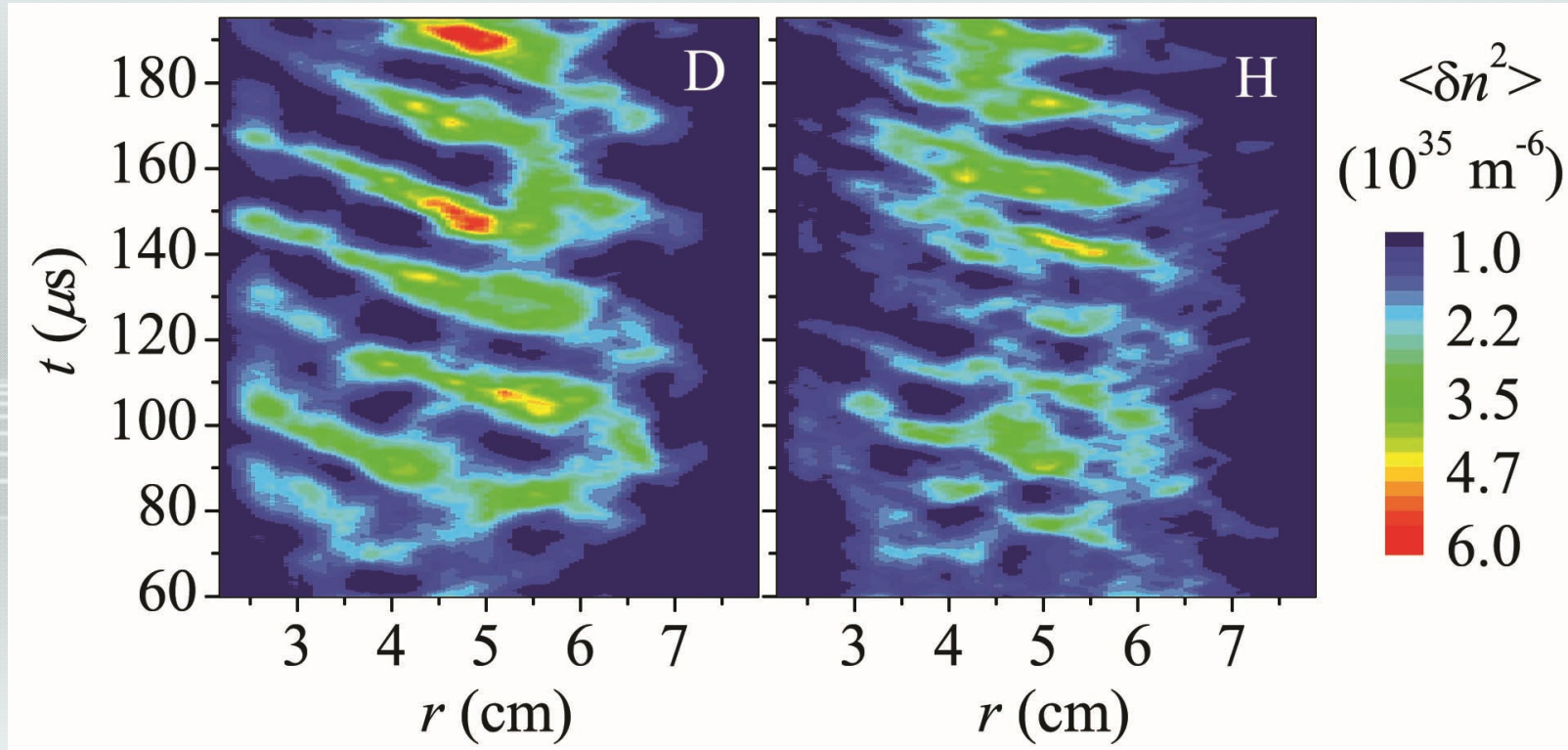


$r \approx 4.5 \text{ cm}$

# GAM modulation of the turbulence level in ELMFIRE simulations

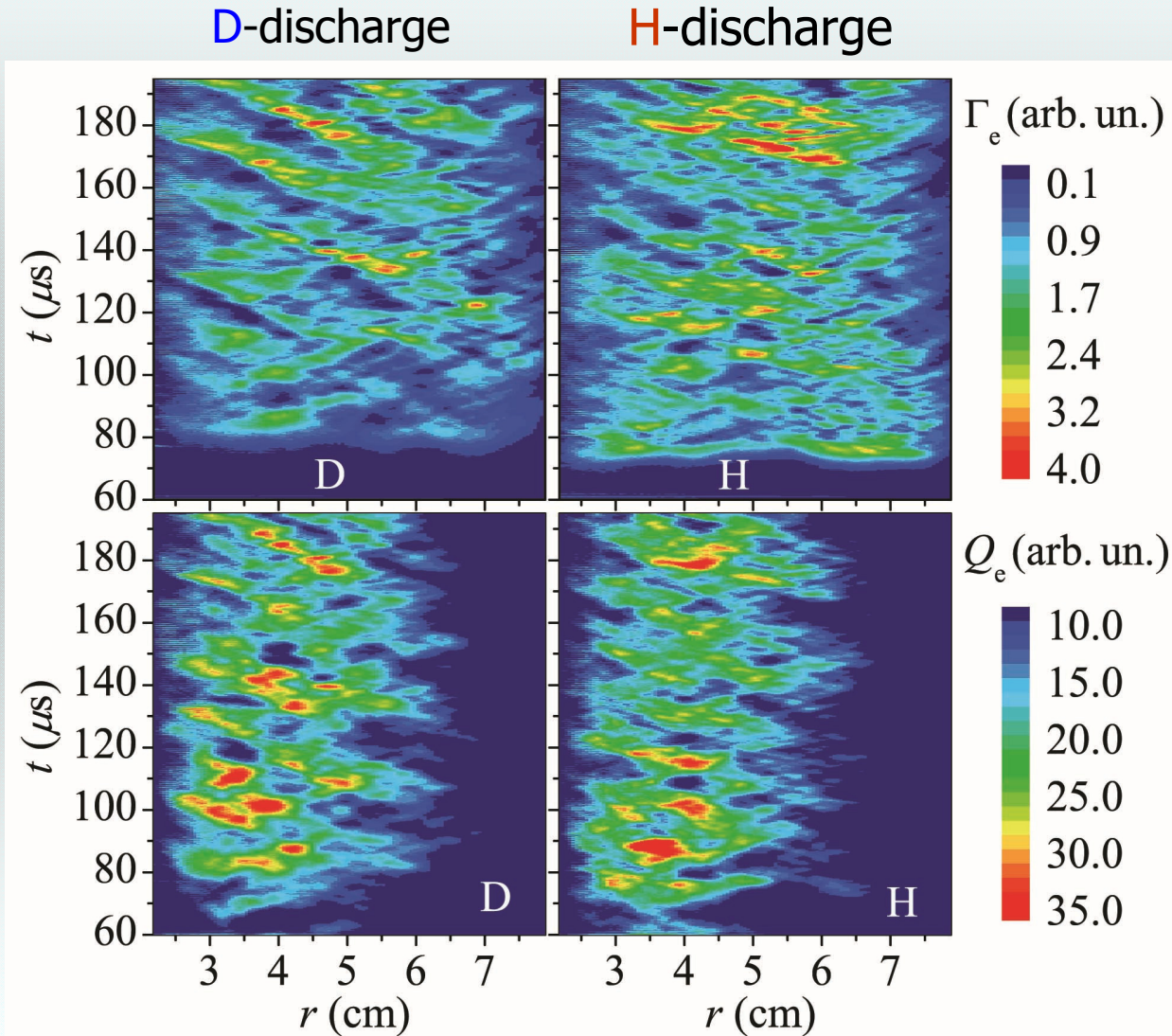
D-discharge

H-discharge

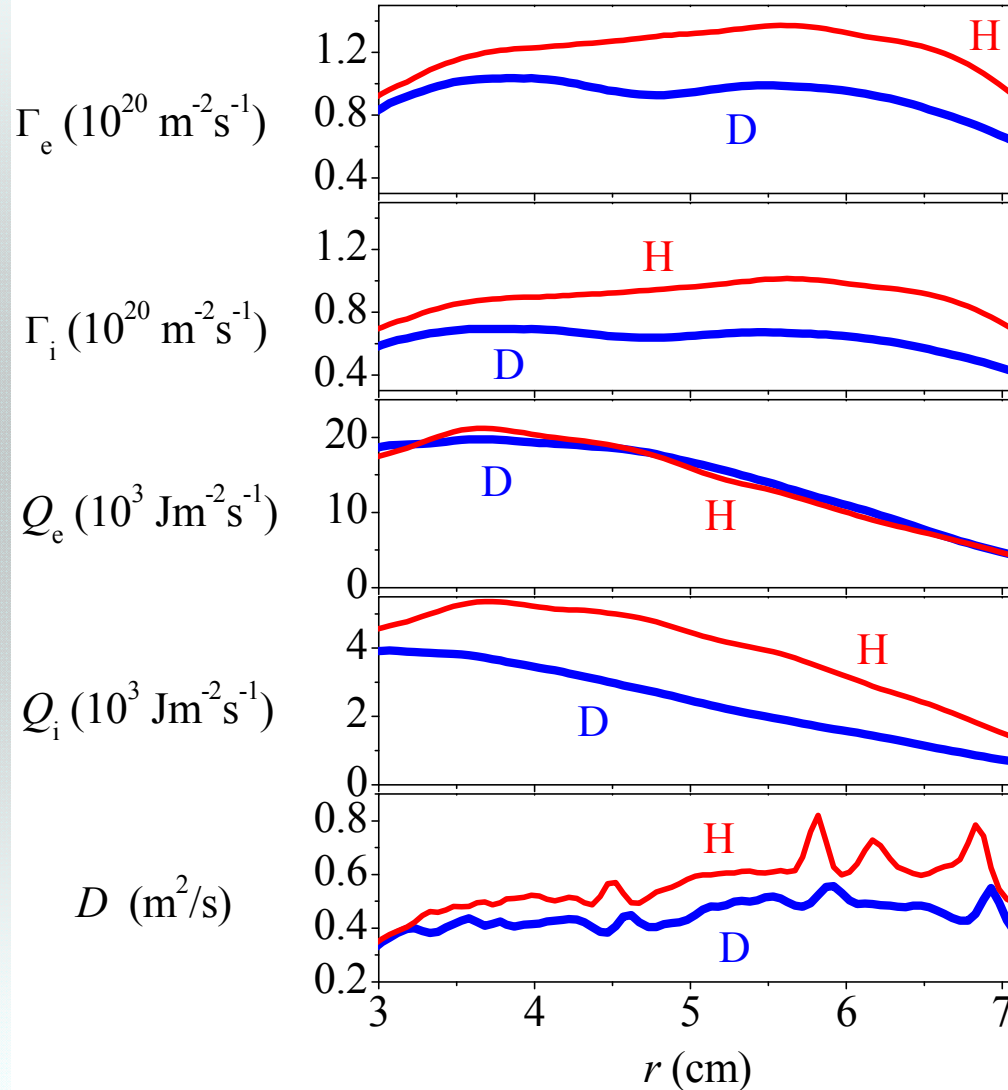


The modulation in **D** looks higher and more coherent than in **H**, similar to the experiment.

# Strong GAM modulation of particle and energy fluxes in ELMFIRE simulations

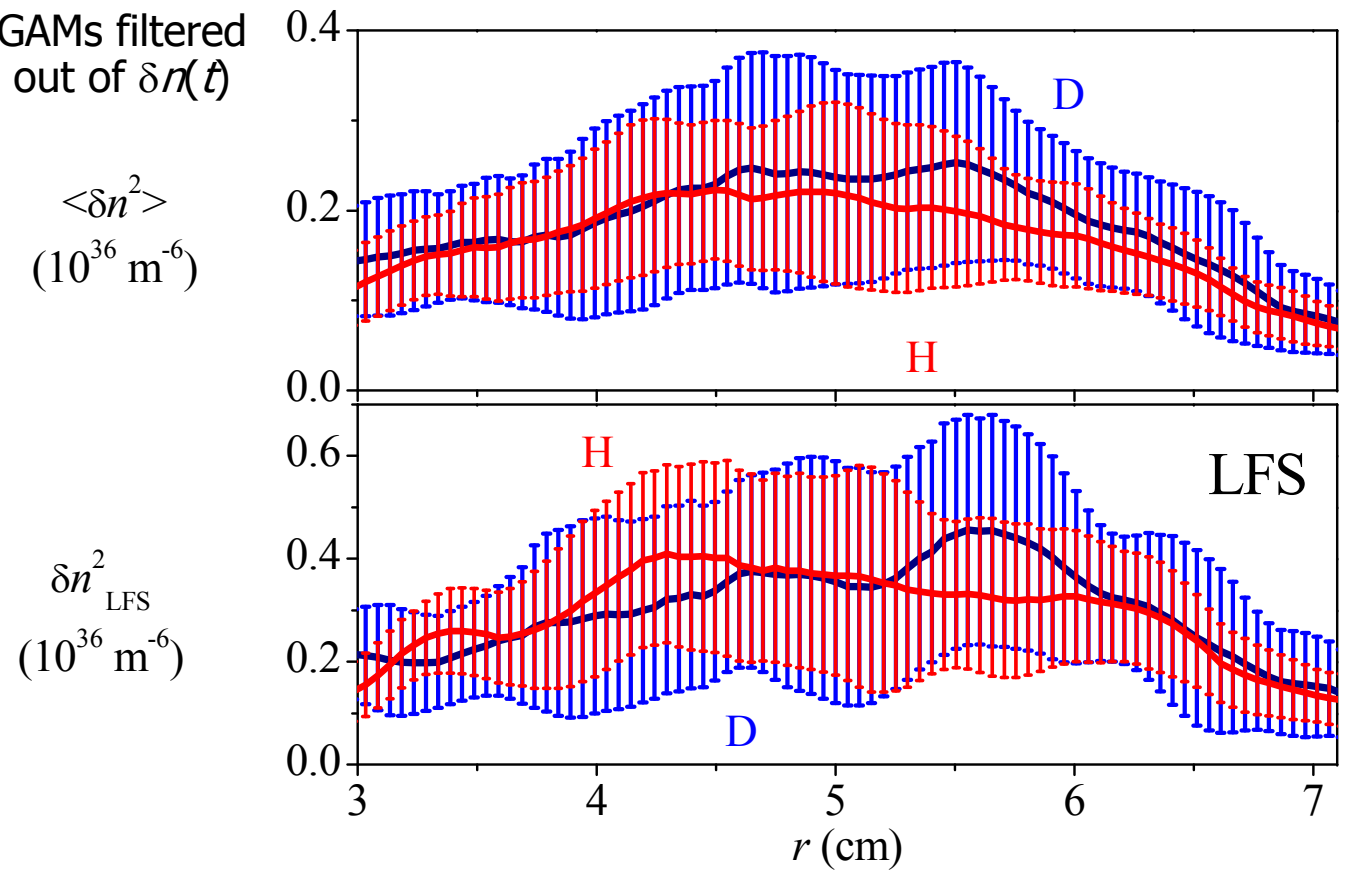


# Mean values of fluxes and diffusivity in ELMFIRE simulations





# Mean values and modulation amplitudes of the turbulence level



The modest local excess of the  $\delta n_{LFS}^2$  in H at  $r \sim 4.3$  cm can be considered as a qualitative confirmation obtained in modeling for the stronger turbulence suppression by more intensive GAMs observed at this  $r$  in the experiment.

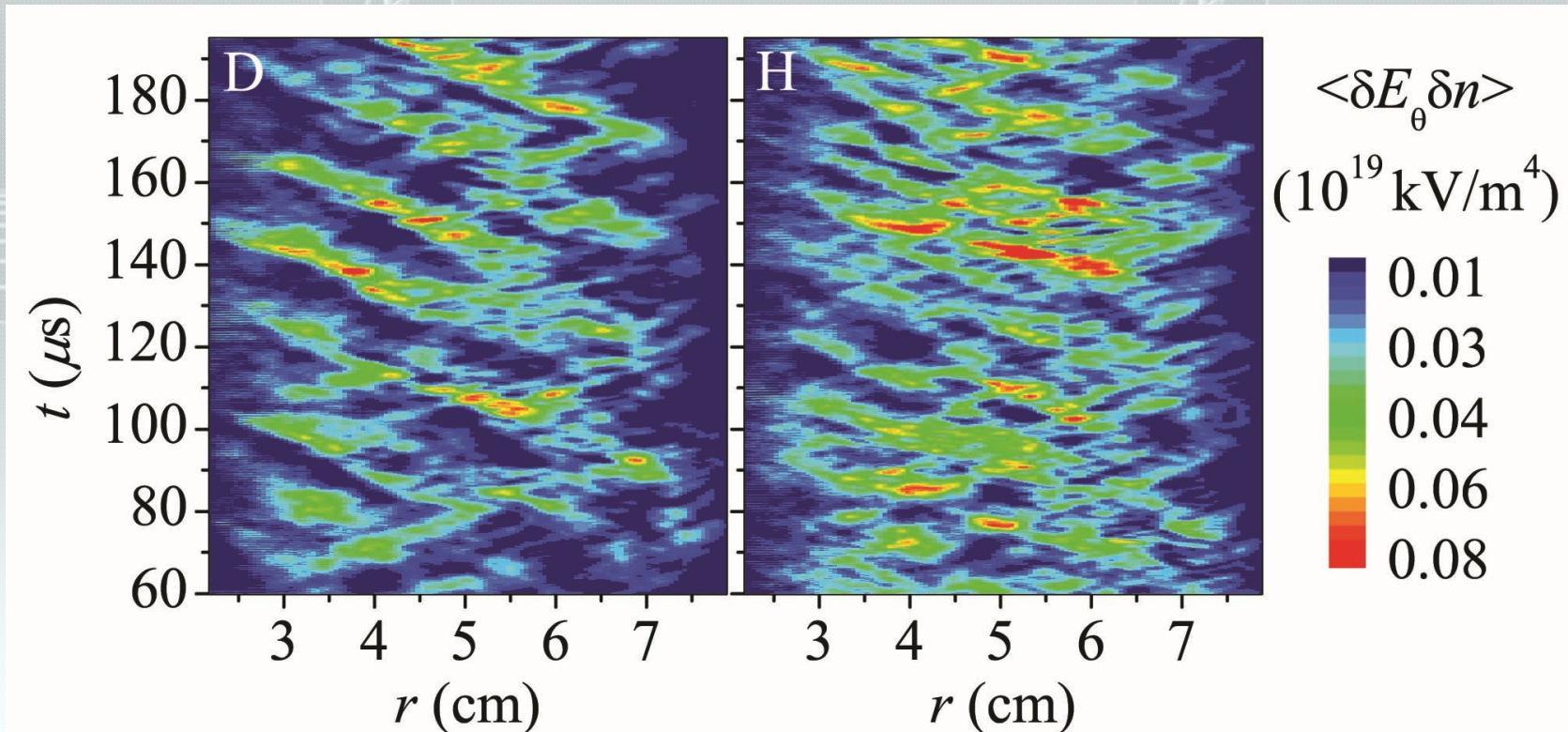
The higher level of turbulence simulated in D-discharge in comparison with H at the first sight seems to be in drastic contradiction with lower levels computed for particle and ion energy fluxes.

# The MHD radial turbulent particle flux in ELMFIRE simulations

$$\Gamma_t = \frac{\langle \delta E_\theta \delta n \rangle}{B}$$

D-discharge

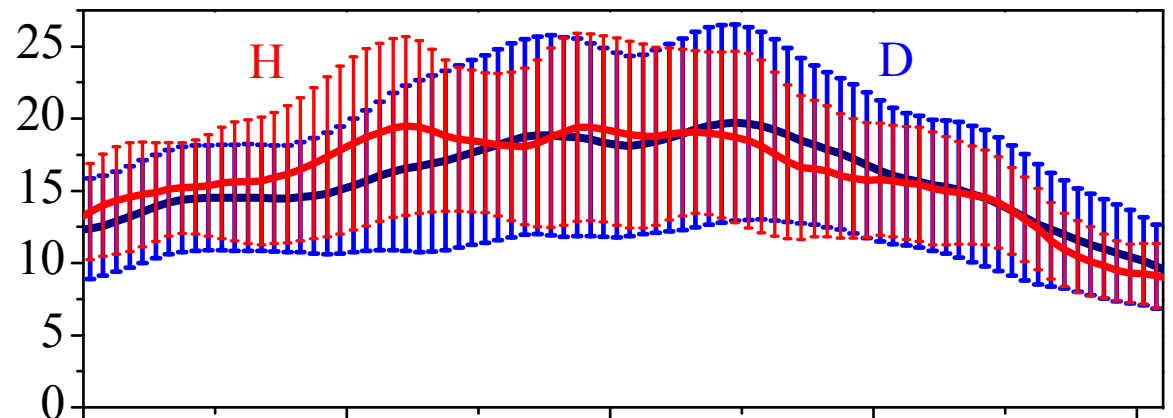
H-discharge



# Mean values and modulation amplitudes of $\delta E_\theta^2$ and the radial turbulent flux

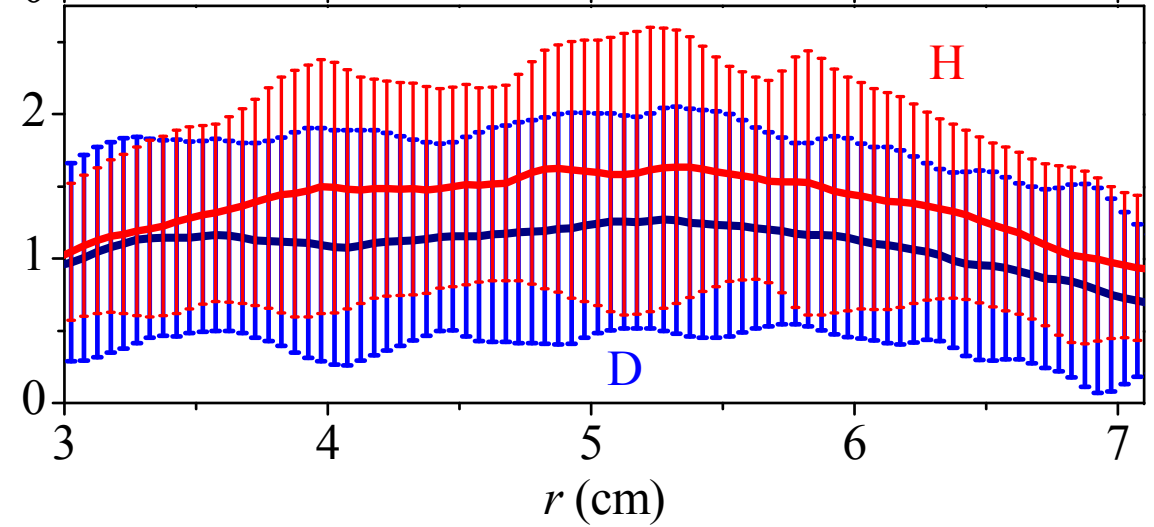
$$\langle \delta E_\theta^2 \rangle$$

(kV<sup>2</sup>/m<sup>2</sup>)



$$\Gamma_t = \langle \delta E_\theta \delta n \rangle / B$$

(10<sup>20</sup> m<sup>-2</sup> s<sup>-1</sup>)



The higher level of  $\Gamma_t$  in H could be explained only by the difference of relative phase of  $\delta n$  and  $\delta E_\theta$  in H and D.

Substantial **excess of the GAM amplitude, radial wavelength and correlation length** in a wide spatial region of **D-discharge** resulting in **stronger modulation of drift-wave turbulence level** in comparison with H-discharge is demonstrated by highly localized turbulence diagnostics and the global GK modeling.

The **larger turbulence radial correlation length** is found in D-discharge in experiment and the **stronger modulation of GK particle and energy fluxes** as well as of **MHD particle flux** is shown there by the GK code.

# Conclusions

The GK modeling demonstrated **comparable level of high frequency density and electric field fluctuations** in H- and D-discharges, nevertheless, the **mean values of the ion energy and particles flux** provided by modeling **show the systematic isotope effect** at all the radii. The isotope effect is also observed in the **mean MHD particle flux**, which indicates that relative phase of density and electric field fluctuations in deuterium is closer to  $\pi/2$  than in hydrogen.

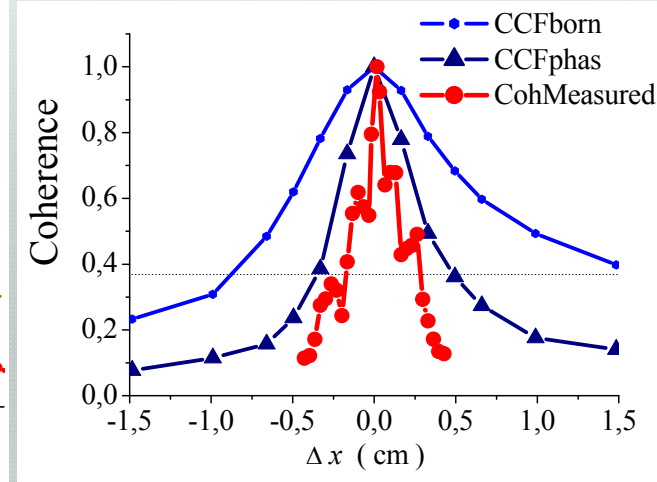
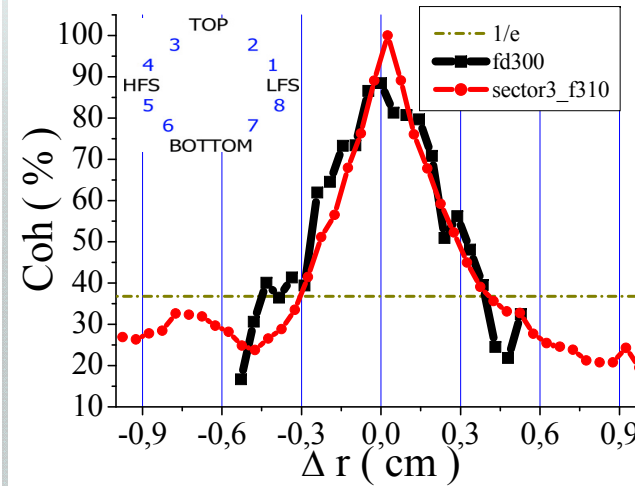
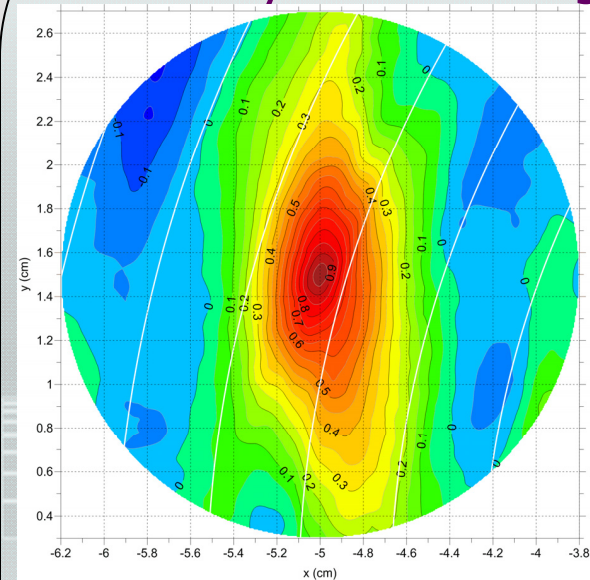
The obtained results demonstrate productivity of comparative investigation of the anomalous transport phenomena in similar H- and D- discharges using localized diagnostics and global GK modeling and appeal for the further studies focused, in particular, on **determination of the drift-wave frequency and wave number domain responsible for the isotope effect.**

# Comparison of experimental and synthetic X-mode RCDR CCFs

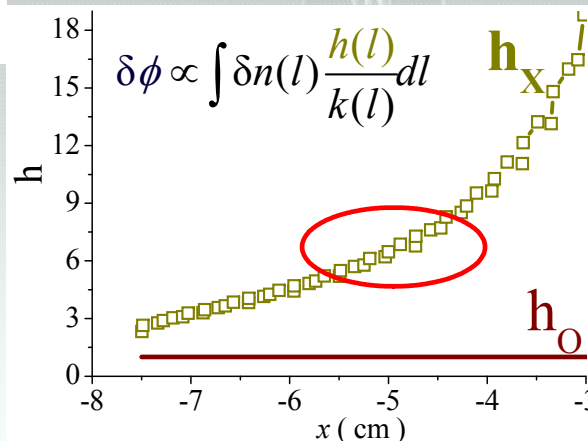
## Turbulence two-point CCF by GK modeling

## Experimental & GK coherence

## Experimental & synthetic coherence



Substantial difference in RCDR **synthetic** and **measured** coherences is observed, which is explained by transition of DR to the nonlinear regime



$$\delta\phi \propto \int \delta n(l) \frac{h(l)}{k(l)} dl$$

$$CCF_{\text{born}} = A_s(f_1)A_s^*(f_2)$$

$$CCF_{\text{phase}} = B_s(f_1)B_s^*(f_2); \quad B_s = A_s \exp(i\delta\phi)$$

The modified synthetic DR signal is a product of the **Born approximation synthetic signal** and the **phase factor** gained all over the trajectory