

Max-Planck-Institut für Plasmaphysik



The I-phase and its relation to other phenomena at AUG

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Motivation





Motivation







- The I-phase at low density: coexistence with GAM
- I-phase and its appearance in the SOL
- I-phase and divertor detachment
- I-phase vs. type-III ELMs
- I-phase vs. I-mode
- Summary and discussion





Definition of I-phase (Conway 2011):

- Turbulence pulsating at around 2–4 kHz
- L-I transition sharp, I-H transition soft
- pulsing extends across the plasma edge into SOL
- Occurs at low densities (< 5 10¹⁹ m⁻³)

The I-phase at low density





Definition of I-phase (Conway 2011):

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Possible role of I-phase in LH transition (low density)

Turbulence suppression by shear:

- Turbulence correlation rate:
- Mean flow shearing rate: $au_M^{-1} = \Delta u_\perp/L_r$
- Oscillatory flow shearing rate: $\tau_o^{-1} = \sigma_{u\perp}/L_r$

Distinction by turbulence suppressor:

- I-phase: oscillatory flow
- H-mode: mean flow



The I-phase and its appearance in the SOL



Measurements with the X-point probe (Müller 2014):

- 2 I_{sat}-pins (Mach probe), 1 pin for characteristics
- Reciprocates horizontally 2-5 cm below the X-point
- Covers LFS, private flux region and HFS



[M. Tsalas et al., J. Nucl. Mater. (2005)]



The I-phase and its appearance in the SOL



Observations (Müller 2014):

- Oscillations in parallel Mach-number (X-point probe)
- Higher harmonics in I_{sat}-signal
- Nice limit cycle between low-f (anti-ZF) and high-f (turb.): type J (ccw)
- Pulsation sometimes absent (non-linear phenomenon)



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Correlation of Doppler reflectometer with edge density profiles (Li-BES):

- Pulsation in density signal strongest slightly inside the separatrix
- Propagation of pulse to the outside (200-500 m/s)
- Density gradient crashes during I-phase (see M. Cavedon: *E_r* profile modulated)



I-phase and detachment



Classification of detachment during density ramps:

- Low density: attached
- Onset of detachment (OS)
- Fluctuating state (FS)
- Complete detachment (CDS)







X-point fluctuations:

- Visible in AXUV diode
- Sudden onset
- Broad peak around 5.5 kHz
- Appears when inner divertor is already detached

I-phase:

- Visible in AXUV diode
- Sudden onset
- Localized peak around 2 kHz
- Appears close to LH threshold







Divertor oscillations:

- Visible in AXUV diode
- Jumps between 2 states
- One state is fluctuation state
- Frequency *f* ~ 50-200 Hz

I-phase:

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- Sudden onset
- Localized peak around 2 kHz
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The L-I transition at medium density:

- Drop of divertor current
- Oscillation in poloidal velocity and fluctuation





The L-I transition at medium density:

- Drop of divertor current
- Oscillation in poloidal velocity and fluctuation
- Clockwise limit-cycle in phase space
- Zonal flow-turbulence interaction?





Magnetic signal is strongly correlated with Doppler:





Magnetics signal shows harmonics in spectrogram:



The magnetic structure of the I-phase



Magnetic pulse propagates from X-point along HFS to top:





The magnetic structure of the I-phase



Correlation analysis reveals:

• m=1 mode structure at $\Delta t = 0$

- Propagation velocity ~20 km/s in ion diamagnetic direction
- Dynamics reverses in USN configuration



The magnetic structure of the I-phase







Smooth transition to spiky and intermittent phase: precursors in $\dot{B_r}$!





Definitions:

I-phase (Conway 2011):

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Type-III ELM (Zohm 1996):

- Coherent magnetic precursor (f= 50-100 kHz)
- Mode numbers of precursor n=5-10, m=10-15
- ELM frequency decreases with heating power





Smooth transition from LCO to Type-III ELM:

- IM-mode in DIII-D (Colchin et al., PRL, 2002)
- I-phase at EAST (G.S. Xu/N. Yan, PPCF, 2014)
- M-mode at JET (È. Solano, EPS, 2013)







Precursor properties measured with standard reflectometry in late I-phase:





Precursor properties measured with standard reflectometry in early I-phase:





Precursor properties measured with standard reflectometry:

- Small amplitudes in early I-phase
- Located close to separatrix

- Large amplitudes in late I-phase
- Already visible in reflectometer signal before it appears in B_r

Early and late phase qualitatively identical





I-phase vs. I-mode

Definition of I-mode:

- Improved heat confinement (like H-mode), low particle confinement (like L-mode)
- Appears only in unfavourable B x grad B configurations
- no oscillations

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I-phase vs. I-mode

Definition of I-mode:

- Improved heat confinement (like H-mode), low particle confinement (like L-mode)
- Appears only in unfavourable B x grad B configurations
- no oscillations (but spikes, GAM and WCM!)

Definition of I-phase (Conway 2011):

- Turbulence pulsating at around 2–4 kHz
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- Occurs at low densities (< 5 10¹⁹ m⁻³)
- Does not (clearly) occur in unfavourable B x grad B configurations





The I-phase at AUG:

- Coexist with GAMs at low densities
- Is strongest slightly inside the separatrix and density response propagates outwards
- Exhibits strong magnetic activities (poloidal propagation, *m*=1 structure, precursors)

I-phase and type-III ELMs show similarities:

- Appear close to L-H transitions
- Frequency decreases with larger pedestal pressure/heating
- Exhibit precursors with frequencies of about 50-100 kHz



Are type-III ELMs and I-phase the same? IM-mode = I-phase = M-mode?

LIH vs. HIL transitions at medium densities



I-phase in the power density plane:

- I-phases at LI and IL look very similar
- LI transition close to LH threshold
- High density range not accessible at LI transition
- Density at IL transition much higher







Magnetics in I-phase: No precursor at the beginning





G. Birkenmeier

EFTSOMP Workshop, Lisboa 2015



Magnetics in I-phase: Clear precursor later





Precursors in poloidal correlation reflectometry (#31165):


I-phase vs. Type-III ELM



Precursors in poloidal correlation reflectometry (#31165):







Precursor properties measured with poloidal correlation reflectometry:



Summary: I-phase





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Open questions:

- Are I-phase and type-III ELMs the same?
- Zonal flows active or E_r given by pressure gradient relevant?
- What is the role of the GAM?
- What is the role of blobs? Passive or active?
- Why does I-phase not clearly appear in unfavourable B x grad B drift?
- Relation to theory (Frequency scaling with β , precursors,...)?
- Is there a similarity of I-phase and type-I ELMs dynamics?
- Poloidal flow in general given by neoclassics?



Next steps:

- Document the I-phase frequency (and duty cycle) dependence and comparison to theory
- Find the conditions when LCO and threshold behavior occurs
- Clarify the role of precursors
- Clarify the role of neoclassics and zonal flows/GAMs

• ...

What's published about I-phase at AUG





Differences between the published shots:

- No nice/clear H-modes (Garrard)
- Garrard: No limit cycle. Stefan: Limit cycle!
- Garrard: GAM. Stefan: No GAM?
- Magnetic signal looks different (important?)

M-mode on JET (Solano, EPS 2013):

- Magnetic oscillation after LH transition (few kHz)
- m=1, n=0, up-down symmetric
- Higher harmonics in Mirnov coils
- Not electrostatic, but scaling with poloidal Alfven speed

similar to a hydrodynamic internal wave $\nu = (k_{\theta}^2/k)V \simeq (\lambda_r/\lambda_{\theta}^2)V_{Alfven, pol}$



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 D_{α} (a.u.)

JET Pulse No: 80913

5

Frequency (kHz)

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similar to a hydrodynamic internal wave $v = (k_{\theta}^2/k)V \simeq (\lambda_r/\lambda_{\theta}^2)V_{Alfven, pol}$

Frequency (kHz) R = 3.74m-6 -8 22 16 18 20 24 Time (s) G. Birkenmeier

Strong in pedestal ECE channel

FFT Mirnov (inboard top)

-1

-3

-5

-4





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Comparison: Li-BES and Ultra Fast Sweeping Reflectometer





Density response of 2 kHz oscillations:

- localized slightly inside the separatrix
- Width: ~1.5 cm

LIH vs. HIL transitions



I-phase frequency scaling:

- Frequency depends on density!
- Or on temperature?
- High density range not accessible at LI transition
- Density at IL transition much higher BUT temperature lower



Plasma pressure (β) is the same at IL and LI transition!



Frequency depends on β ? (to be checked)





Magnetics in I-phase: No precursor in early phase



I-phase vs. Type-III ELM



Magnetics in I-phase: Clear precursor in late phase



I-phase in different configurations



I-phase:

- No I-phase in USN
- Switched on in DN
- Switched off by MPs (density pump-out)





Cheng/Dong at HL-2A:



IAEA (not shown):

- type-Y is ZF-turbulence LCO
- type-J is background-turbulence LCO
- LI transition by ZF, IH by background E_r



Schmitz at DIII-D (NF 2014):

- Zonal flow triggers LCOs initially (90° between n and shear rate)
- Background shear takes over later (180°) and sustains H-mode
- Consistent with a two predator (ZF and background shear), one-prey (turbulence) LCO model





Kobayashi at JFT-2M:

Zonal flow irrelevant in LCO:

- **Reynolds-stress** drive too weak
- Radial wave length too long



amplitude and cross coherence with respect to \hat{D}_{α}

L- and H-mode





L-mode:

- Low confinement
- High turbulence level
- Shallow gradients

H-mode:

- High confinement
- Low turbulence level
- Steep gradients (pedestal!)
- Edge transport barrier





Turbulence in H-mode "suppressed" by background flow shear:



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- Low confinement
- High turbulence level
- Shallow gradients

H-mode:

- High confinement
- Low turbulence level
- Steep gradients (pedestal!)
- Edge transport barrier



Turbulent eddy in a shear field: d) e) time f)

[P. Manz et al., PRL (2009)]

Turbulence in H-mode "suppressed" by background flow shear:



Radial size of eddy decreased by vortex thinning



Turbulent transport reduced







Typical LH transition (low density):











• Density fluctuation amplitude: $S(k_{\perp}) \propto \tilde{n}_e^2$



Other devices see basically the same:

- Limit-cycle oscillations (DIII-D, MAST, HL-2A, JFT-2M,TJ-II, NSTX,...)
- IM-mode (DIII-D)
- I-phase (EAST)
- M-mode (JET)
- Dithering (AUG)
- etc.



EFTSOMP Workshop, Lisboa 2015



Hope: Understanding of I-phase will help to understand the LH transition



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Example for a "minimal" model: [P. Diamond et al., PRL 1994]

• Turbulence increases with growth rate γ (depends on type of turbulence)

$$\partial_t \langle \tilde{n}^2 \rangle = \gamma \langle \tilde{n}^2 \rangle$$



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Turbulence can drive a poloidal flow (zonal flow) via the Reynold stress

$$\partial_t \langle V_\theta \rangle = -\partial_r \langle \tilde{V}_\theta \tilde{V}_r \rangle$$
Zonal flow
(also GAMs)
Reynolds
stress



Hope: Understanding of I-phase will help to understand the LH transition

Example for a "minimal" model: [P. Diamond et al., PRL 1994]

Turbulence increases with growth rate γ (depends on type of turbulence)

$$\partial_t \langle \tilde{n}^2 \rangle = \gamma \langle \tilde{n}^2 \rangle$$

- Turbulence can drive a poloidal flow (zonal flow) via the Reynold stress
- Viscosity (collisions, geodesic transfer, Landau damping,...) can damp the flow





Energetic interaction between zonal flow and turbulence:

$$\partial_t \mathcal{N} = \gamma \mathcal{N} - \alpha_1 \mathcal{N} U$$

$$\partial_t U = \alpha_2 \mathcal{N} U - \mu U$$

Two coupled equations:

- $\mathcal{N} = \langle \tilde{n}^2 \rangle$: turbulence energy
- $U = \langle \partial_r V_\theta \rangle^2$: shear flow intensity
- γ , α_1 , α_2 , μ are (heuristic) parameters



Lotka-Volterra type of equations



Energetic interaction between zonal flow and turbulence:

$$\partial_t \mathcal{N} = \gamma \mathcal{N} - \alpha_1 \mathcal{N} U$$

$$\partial_t U = \alpha_2 \mathcal{N} U - \mu U$$

Two coupled equations:

- $\mathcal{N} =$ turbulence energy (rabbits)
- *U* = shear flow intensity (foxes)
- γ , α_1 , α_2 , μ are parameters



• Lotka-Volterra type of equations: predator-prey oscillations



Solutions:

a) Limit-cycle oscillation (phase shift!)







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b) One step transition ($\mu = 0$):







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a) Limit-cycle oscillation (phase shift!)



b) One step transition $(\mu = 0)$:





Other I-phase models

There are a lot of variations!

- Multiple predators (diamagnetic flow, zonal flow, GAMs,...) [M. Sasaki et al., NF 2012]
- Spatially dependent (full radial profile), electron/ion heating


Other I-phase models

There are a lot of variations!

- Multiple predators (diamagnetic flow, zonal flow, GAMs,...) [M. Sasaki et al., NF 2012]
- Spatially dependent (full radial profile) [K. Miki et al., PoP 2012]
- Limit-cycle oscillations without zonal flows (type-III ELMs) [Itoh et al., PRL 1991]
- Bifurcation model for T_e and E_r applied to AUG data [H. Zohm et al., PRL 1994]
- Predator-prey model derived from momentum transport equations

[G. Staebler et al., PPCF 2015]

etc.

Problem of all of these models:

Equations contain free parameters





limited predictive capabilities





Some works seem to confirm that zonal flows trigger the LH transition:

LH transition happens when:

$$\frac{\langle \tilde{v}_r \tilde{v}_\theta \rangle \frac{\partial \langle v_{ZF} \rangle}{\partial r}}{\gamma_{e\!f\!f} \epsilon_T} > 1$$

i.e. when the energy transfer from turbulence to flow

$$\mathcal{P}_{\perp} = \langle \tilde{v}_r \tilde{v}_{ heta} \rangle \frac{\partial \langle v_{ZF} \rangle}{\partial r}$$

exceeds the growth of turbulence

$$\gamma_{eff}\epsilon_{T}$$

with turbulent energy $\epsilon_T = \langle ilde{v}^2
angle$.



Success of models



Other works don't agree with pure zonal flow models:

- Limit-cycle in wrong direction
 - Explanation: mean flow $E_r \approx \frac{\nabla p}{en}$ drives IH transition

- Reynolds stress drive too weak and radial wavenumber too large
 - Explanation: mean flow involved in I-phase oscillations



[T. Kobayashi et al., PRL 2014]